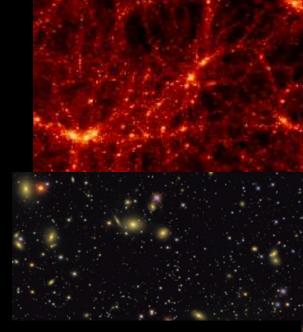
Licia Verde

ICREA & ICC-UB-IEEC Barcelona, Spain



Neutrino properties from cosmology

icc.ub.edu.liciaverde









MINISTERIO DE ECONOMÍA, INDUSTRIA Y COMPETITIVIDAD





A possible reference point

Particle data group, Neutrinos in Cosmology, Lesgourgues & Verde Chapter 26 <u>https://pdg.lbl.gov/2022/reviews/astro-cosmo.html</u> (fully updated every 2 years, revised every year*)

What is a neutrino? (for cosmology)



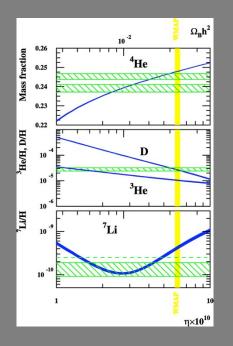
- Behaves like radiation at T~ eV (recombination/decoupling)
- Eventually (possibly) becomes non-relativistic, behaves like matter
- Small interactions (not perfect fluid)
- Has a high velocity dispersion (is "HOT")

Neutrinos

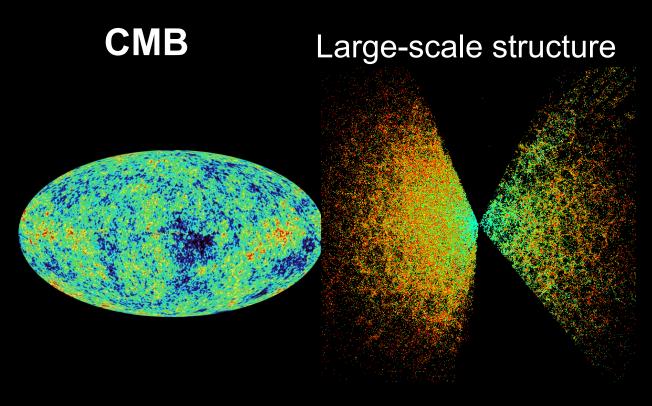
The **only** known **particle** behaving as **radiation** at early time (during the CMB acoustic oscillations) and as **dark matter (not cold**) at late time (during structure formation) This has consequences for <u>the background evolution</u> and the <u>structure growth</u>.

Relict neutrinos influence in cosmology

Primordial nucleosynthesis







T<eV

N_{eff} mass

How many "neutrinos"? (dark radiation)

Have we really seen the cosmic neutrino background? (i.e. Are we really sure it's neutrinos?)

Their total mass M_V or Σ (and are we really sure??)

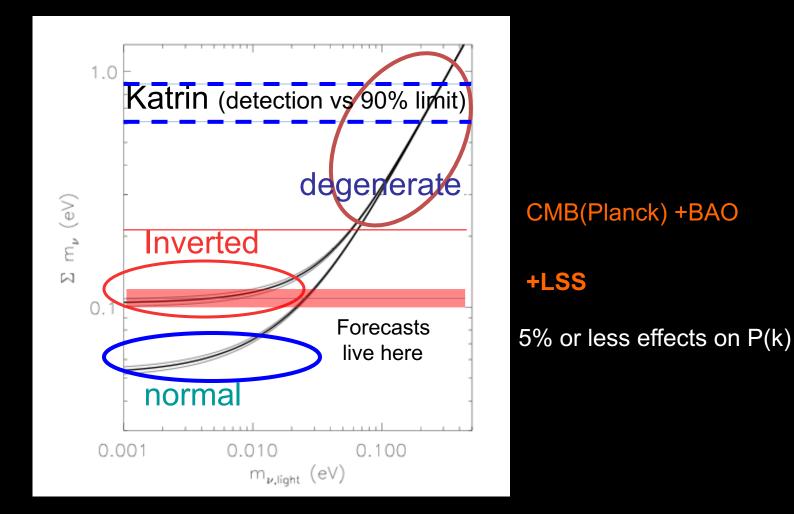
The individual masses (hierarchy)

Mostly model-dependent statements: measuring cosmological parameters values**

Implications: tldnr

Cosmology is key to determine neutrino masses

Neutrino mass limits



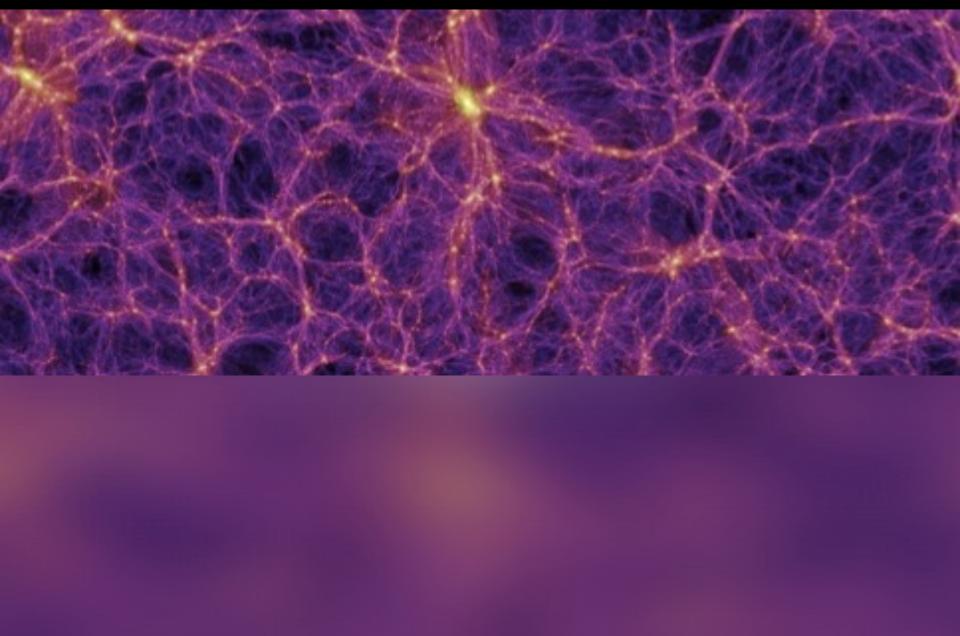
recap

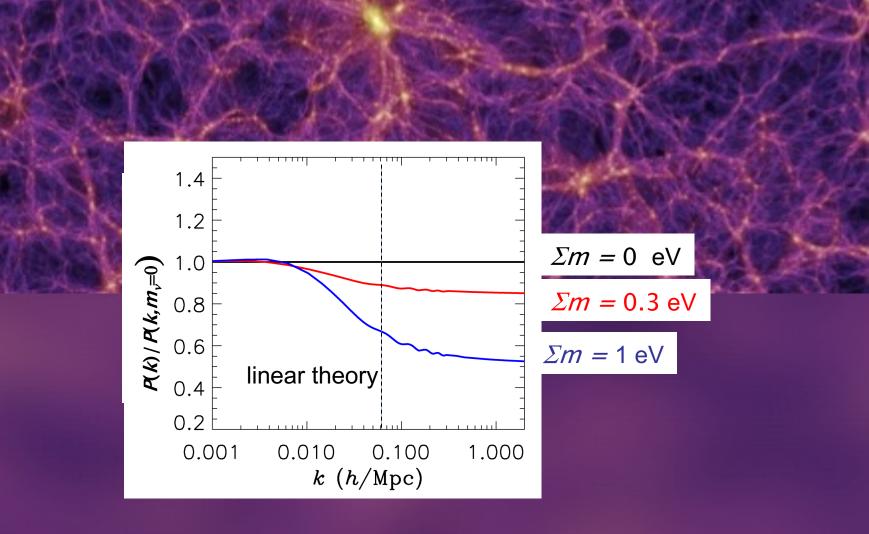
- There is a CvB
- Cosmology places stringent limits on Σm_{ν}
- If IH then a measurement is around the corner
- However, IH is under pressure from a Bayesian perspective
- This has important implications
- What if KATRIN measures something?

Boltzmann codes....

- Like CLASS or CAMB have all this (and more in)
- Mostly linear predictions
- They are also shipped with MCMC's "engines"
- And a suite of data with errors and covariances
- And appropriate likelihoods..... (and non-linear corrections)
-to do parameter constraints

What about non-linearities?





What about non-linearities?

Approaches:

Analytic i.e. Perturbation theory N-body Simulations Intermediate:

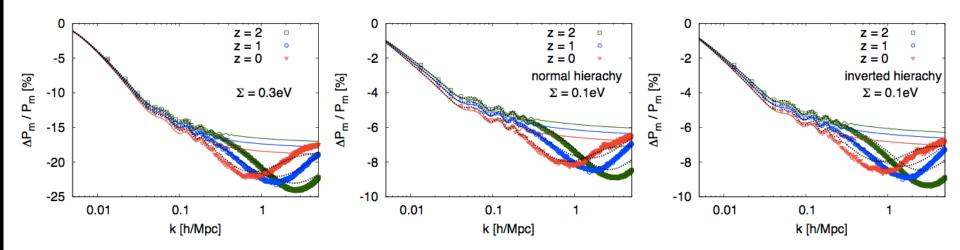
Emulators

Use particles Simulate just neutrino masses Use grids Use hybrid

Simulate also hierarchy

Neutrinos effect on the matter P(k)

Σ (total mass)



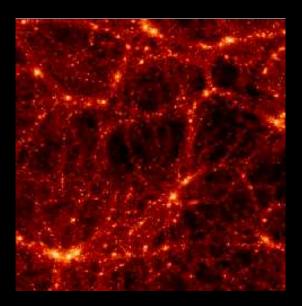
Note that non-linearities enhance the signal

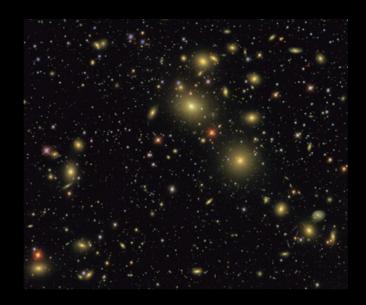
This is for MATTER in real space

What about real world effects?

- Baryonic physics (lensing and galaxy surveys)
- Bias (galaxy surveys)
- redshift space (galaxy surveys)







Redundancy is the key

Neff

- Cosmic Microwave Background experiments have detected a "dark radiation" (relativistic species which are not photons) with the right abundance to be neutrinos decoupled from the early Universe.
- We want to test if other properties of that fluid are also consistent with neutrinos.
- We want to test that the consistency is robust e.g., against changes in the cosmological parameters.

How many neutrinos?

- Cosmology is sensitive to Neff primarily because energy density in relativistic particles affects directly the universe's expansion rate during the radiation domination era
- True for any thermal background of light particles such as axions and axion-like particles, hidden sector photons, majorons, or even gravitons
- Likewise, any process that alters the thermal abundance of neutrinos (e.g., a low reheating temperature) or affects directly the expansion rate itself (e.g., a time-dependent G) can mimic a non-standard Neff.

N_{eff:} number of effective species

$$H^2(t) \simeq \frac{8\pi G}{3} \left(\rho_\gamma + \rho_\nu\right)$$

$$\rho_{\nu} \propto T^4 N_{\rm eff}$$

Standard: N_{eff}=3.045

Extra radiation, boosted expansion rate Any thermal background of light particles,

anything affecting expansion rate

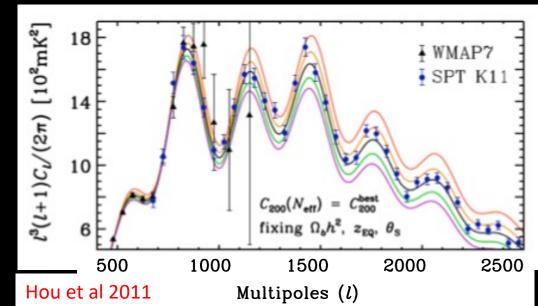
Look at BBN N_{eff} around 3 to 4

Look at CMB: effects matter-radn equality and so sound horizon at decoupling

-> degeneracy with ω_m and H

Anisotropic stress, z_{eq} on diffusion damping

Main effect: increasing N_{eff} increases Silk Damping scale (for fixed θ_s), small phase shifts too

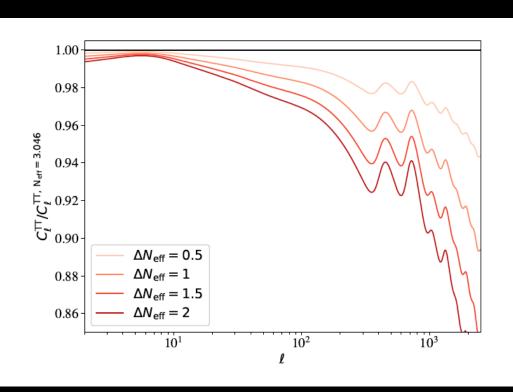


Neutrinos Neff: Physical effects

Neff and the CMB

Naively: changes matter radiation equality but other physics can do that

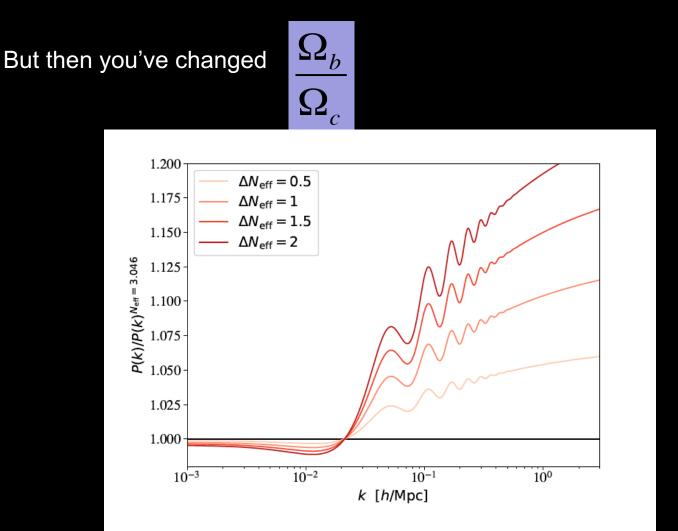
Keep zeq fixed (and matter to Λ fixed, and wb) so play with Neff and H_0



Increase Silk damping

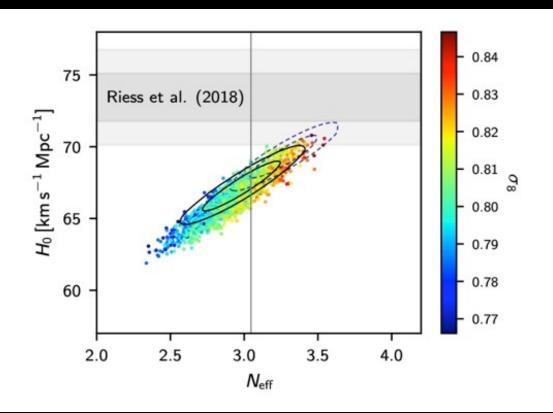
Neutrinos, Neff: Physical effects

Keep zeq fixed (and matter to Λ fixed, and wb) so play with Neff and H0



Parameter constraints: Neutrino species

Planck collaboration, 2018 paper VI



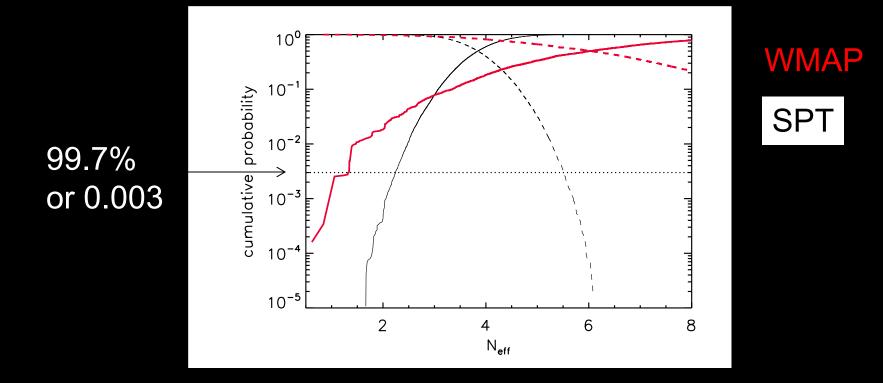
$N_{\rm eff} = 3.11_{-0.43}^{+0.44}$	(95%, TT+lowE+lensing+BAO);
$N_{\rm eff} = 2.99^{+0.34}_{-0.33}$	(95%, TT,TE,EE+lowE+lensing +BAO).

Summary N_{eff} constraints

	Model	95%CL
CMB alone		
Pl18[TT,TE,EE+lowE]	$\Lambda { m CDM} + N_{ m eff}$	$2.92^{+0.36}_{-0.37}$ P18
CMB + background evolution + LSS		
Pl18[TT,TE,EE+lowE+lensing] + BAO	$\Lambda { m CDM} + N_{ m eff}$	$2.99^{+0.34}_{-0.33}$ P18
" $+$ BAO $+$ R21	$\Lambda { m CDM} + N_{ m eff}$	3.34 ± 0.14 (68%CL)
"	" $+5$ -params.	$2.85 \pm 0.23 \; (68\% {\rm CL})$
		diValen

Back a decade

On the other hand... the cosmic neutrino background has been detected at >> 4 σ



How do you know it's neutrinos?

"Dark radiation" candidates

background of gravitational waves

other light decoupled relics (axions, gravitinos, etc.)

scalar field oscillating in quartic potential

standard neutrinos

neutrinos with exotic interactions (self-inter., or with dark sector)

other light relics with interactions (self-inter., or with dark sector)

effects from modified gravity, extra dimensions...

ALL of these scale like radiation! need EXTRA evidence Let's look at the **perturbations**

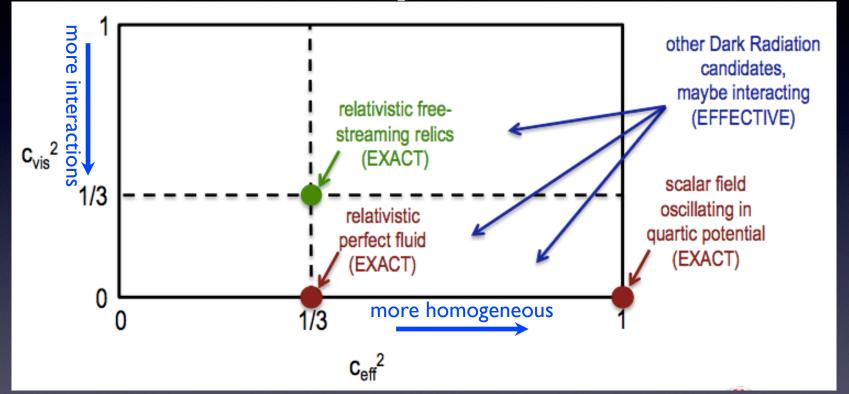
The {c²vis, c²eff} parametrization

Background (no anisotropies) Equation of state $\bar{p} = w_{dr}\bar{\rho}$ $\frac{\dot{\rho}}{\rho} = -3(1+w_{dr})\frac{\dot{a}}{a}$ Sound speed $\dot{\bar{p}} = c_a^2 \dot{\bar{\rho}}$ $c_a^2 = w_{dr} - \frac{1}{3} \frac{\dot{w}_{dr}}{1+w+dr} \left(\frac{\dot{a}}{a}\right)^{-1}$

First-order Perturbations

Isotropic pressure Anisotropic pressure $\delta p = c_{\rm eff}^2 \delta \rho$ $\dot{\sigma} = f\left(c_{\rm vis}^2\right)$

The {c²vis, c²eff} parametrization



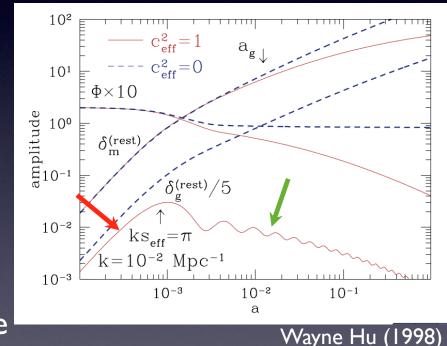
If we can get strong constraints around $c_{vis}^2 = c_{eff}^2 = 1/3$ that makes further evidence for neutrino background! Otherwise, alternative dark radiation would be favored

Effects of c^{2}_{eff} on the ν density perturbations

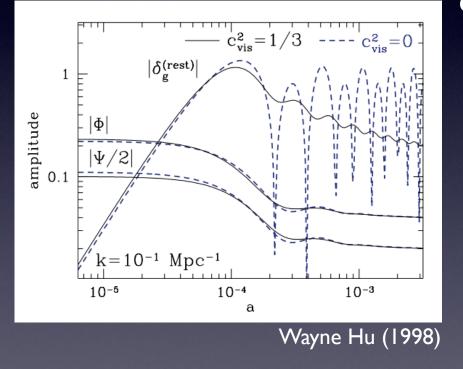
Perturbations grow as power-law above the sound horizon

and begin to oscillate with decaying amplitude below the sound horizon

Depending on the value of c²eff the perturbations will stop growing earlier/later



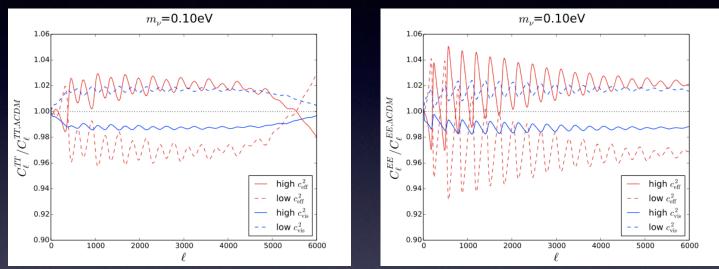
Effects of c^{2}_{vis} on the vdensity perturbations



c²vis mimics the effect of the mean free path of particles in an imperfect fluid with interactions

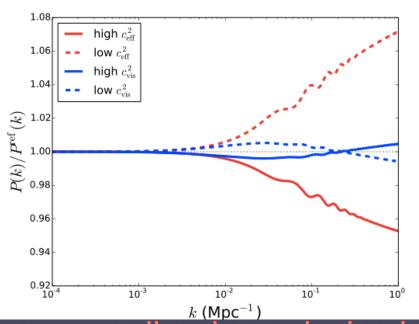
The limit c²vis = 0 corresponds to a negligible mean free path, i.e., to the strongly interacting regime where the pressure remains isotropic.

Effects of c^{2}_{vis} , c^{2}_{eff} on the T&E Power spectrum of the CMB



c²vis and c²eff change the **amplitude** (and shape) of the temperature and polarization power spectra
 c²vis and c²eff change the **phase** of the acoustic oscillations, especially in the polarization spectra
 The relative effect of c²vis and c²eff does **not** depend on neutrino mass, at least in the range Σm_ν<0.3eV

Effects of $\{c^2_{vis}, c^2_{eff}\}$ on the matter power spectrum



c²eff modifies power at small scales at the level of several percent Lyman-alpha forest data should be able to help here!!

These P(k) ratios are again independent of m_{ν}

Cosmological constraints CMB + CMB lensing

CMB + lensing								
Parameter	$\Lambda { m CDM}{+}c_{ m eff}^2{+}c_{ m vis}^2$	$+N_{ m eff}$	$+m_{ u}$	+w	$+ \alpha_s$	$+ N_{ m eff} + m_{ u}$		
$100 \omega_b$	$\begin{array}{c} 2.162\substack{+0.047\\-0.052}\\ 0.1163\substack{+0.0037\\-0.0034}\end{array}$	$\begin{array}{c}2.174\substack{+0.057\\-0.055}\\0.1181\substack{+0.0054\\-0.0051\end{array}$	$\begin{array}{r}2.124\substack{+0.048\\-0.056}\\0.1186\substack{+0.0037\\-0.0036}\\63.7\substack{+4.1\\-2.6}\end{array}$	$\begin{array}{c} 2.179\substack{+0.052\\-0.056}\\ 0.1164\substack{+0.0037\\-0.0035}\\ 85.5\substack{+14.0\\-4.5}\\ 2.27\substack{+0.12\\-0.15}\\ 0.979\substack{+0.022\\-0.021}\\ 0.088\substack{+0.012\\-0.014}\\ 0.919\substack{+0.013\\-0.013\end{array}$	$2.180\substack{+0.050\\-0.056}$	$2.136\substack{+0.060\\-0.068}$		
ω_{cdm}	$0.1163\substack{+0.0037\\-0.0034}$	$0.1181\substack{+0.0054\\-0.0051}$	$0.1186\substack{+0.0037\\-0.0036}$	$0.1164\substack{+0.0037\\-0.0035}$	0.1163 ± 0.0035	0.1184 ± 0.0055		
H_0	68.3 ± 1.1	69.6 ± 2.9	$63.7^{+4.1}_{-2.6}$	$85.5^{+14.0}_{-4.5}$	$68.3^{+1.1}_{-1.2}$	$65.4^{+4.0}_{-4.2}$		
$10^{+9}A_s$	$2.31\substack{+0.12\\-0.15}$	$2.34\substack{+0.12\\-0.16}$	2.36 ± 0.13	$2.27\substack{+0.12\\-0.15}$	$2.35_{-0.15}^{+0.13}$	2.39 ± 0.14		
n_s	$\begin{array}{c} 2.31\substack{+0.12\\-0.15}\\ 0.984\substack{+0.021\\-0.020}\\ \end{array}$	$0.991\substack{+0.024\\-0.025}$	$0.981\substack{+0.020\\-0.018}$	$0.979_{-0.021}^{+0.022}$	$\begin{array}{r} 68.3^{+1.1}_{-1.2} \\ 2.35^{+0.13}_{-0.15} \\ 0.980^{+0.022}_{-0.019} \end{array}$	$0.987^{+0.025}_{-0.022}$		
$ au_{reio}$	$0.090\substack{+0.012\\-0.014}$	$\begin{array}{c} 2.34\substack{+0.12\\-0.16}\\ 0.991\substack{+0.024\\-0.025}\\ 0.093\substack{+0.013\\-0.015}\end{array}$	$0.093^{+0.013}_{-0.014}$	$0.088^{+0.012}_{-0.014}$	$0.095\substack{+0.013\\-0.016}$	$\begin{array}{c} 0.987\substack{+0.025\\-0.022}\\ 0.094\substack{+0.013\\-0.016}\end{array}$		
$c_{ m eff}^2 \ c_{ m vis}^2$	0.314 ± 0.013	0.314 ± 0.013	$\begin{array}{c} 0.309\substack{+0.013\\-0.014}\\ 0.51\substack{+0.14\\-0.19}\end{array}$	$\begin{array}{c} 0.318\substack{+0.013\\-0.014}\\ 0.46\substack{+0.11\\-0.23}\end{array}$	$\begin{array}{c} 0.320\substack{+0.014\\-0.016}\\ 0.50\substack{+0.13\\-0.22}\end{array}$	$\begin{array}{r} -0.010\\ 0.312\substack{+0.014\\-0.013}\\ 0.56\substack{+0.14\\-0.24}\\ 3.17\substack{+0.34\\-0.37}\end{array}$		
$c_{\rm vis}^2$	$0.49\substack{+0.12\\-0.22}$	$0.49\substack{+0.11\\-0.21}$	$0.51^{+0.14}_{-0.19}$	$0.46^{+0.11}_{-0.23}$	$0.50^{+0.13}_{-0.22}$	$0.56^{+0.14}_{-0.24}$		
$N_{ m eff}$	-	$\begin{array}{c} 0.49\substack{+0.11\\-0.21}\\ 3.22\substack{+0.32\\-0.37}\end{array}$	-	_	-	$3.17\substack{+0.34 \\ -0.37}$		
$M_{\nu} [\mathrm{eV}]$	-	-	< 1.03	_	_	< 1.05		
w	-	_	_	$-1.49\substack{+0.18\\-0.38}$	_	-		
α_s	-	_	_	_	-0.010 ± 0.010	_		

All cases remain consistent with neutrinos, although in some cases the claim $c^2_{vis} \neq 0$ weakens

Audren et al. JCAP arXiv:1412.5948

Killing dark radiation candidates

background of gravitational waves

neutrinos with exotic interactions (self-inter. or with dark sector)

other light decoupled relics (axions, gravitinos, etc.)

standard neutrinos

effects from

modified gravity,

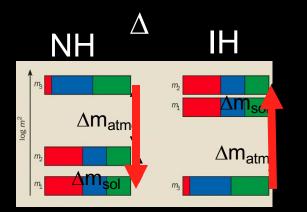
extra dimensions...

scalar field oscillating in quartic potential

other light relics with interactions (self-inter., or with dark sector)

courtesy of Julien Lesgourgues

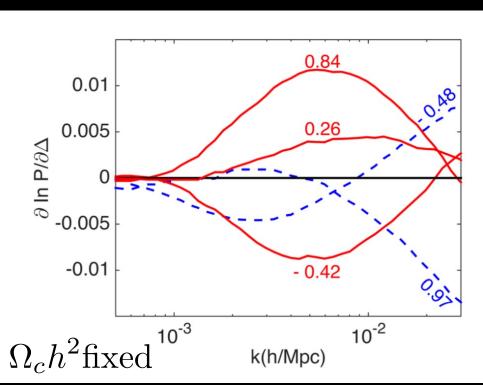
Hierarchy effect on the shape of the linear matter power spectrum



Neutrinos of different masses have different transition redshifts from relativistic to non-relativistic behavior, and their individual masses and their mass splitting change the details of the radiation-domination to matter- domination regime.

NH: $\Sigma = 2m + M$ $\Delta = (M - m)/\Sigma$

IH: $\Sigma = m + 2M$ $\Delta = (m - M)/\Sigma$



approx

 $\Sigma = 0.1 eV$ $\Sigma = 0.06 eV$

How about hierarchy?

In principle there is a signal in LSS, but it is small and at large scales

Use model-selection techniques (cosmologists do inference so tend to be Bayesian)

Combine with constraints from oscillations

'Later or another time

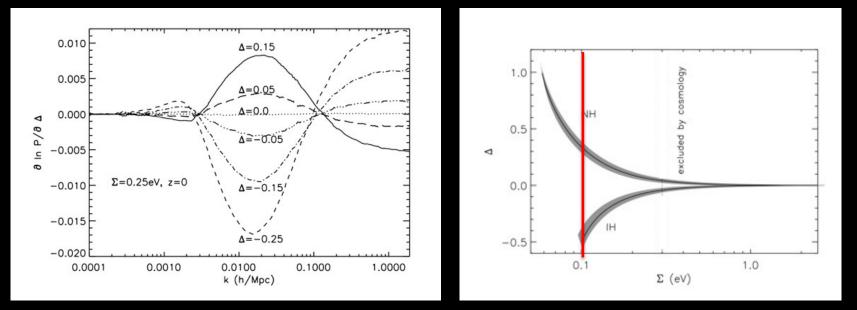
What is hierarchy?

- There are three masses m1, m2, m3 and therefore only two square mass splitting (measurable quantity).
 One will be smaller than the other one.
- m1,m2 refer to the smaller splitting
- m3 can be above (NH) or below (IH) this pair.
- Hierarchy is given by the *sign* of the larger mass splitting.

Only **after the oscillations measurements are in** and we find that one mass splitting is much smaller than the other one we can say

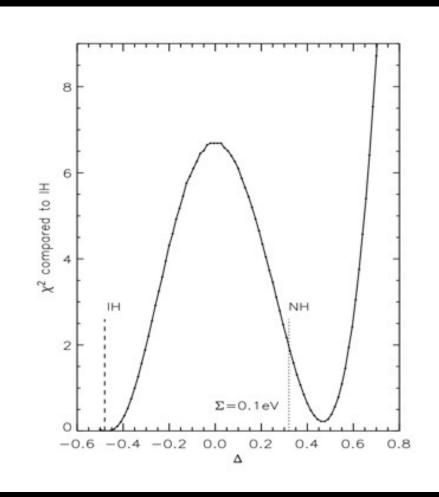
One large two small is NH two large one small is IH

Bayesian statistics



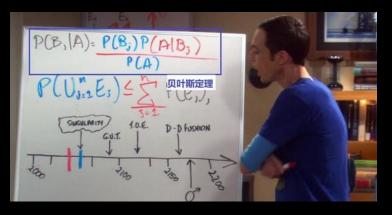
The upper limit. $\Sigma mv/eV < \sim 0.1$ indicate that not all Δ are possible if neutrinos.... Consistency check!

About the LHS

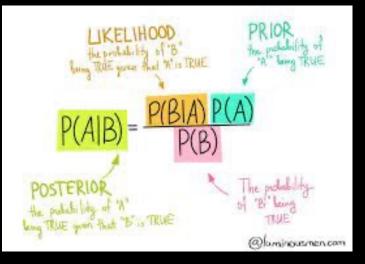


Let's dream.....

Bayes







Compute the Bayesian evidence

 $P(\alpha|D,M) = \frac{P(D|\alpha,M)P(\alpha|M)}{P(D|M)}$

$$P(D|M) = \int P(D|\alpha, M) P(\alpha|M) d\alpha$$

$$P(M|D) = P(D|M)P(M)/P(D)$$

Then take ratios

IT WILL ALWAYS DEPEND ON THE PRIOR

Use oscillations measurements + cosmological limits (assume Gaussian likelihood)

Neutrinos propreties from the sky



If it looks like a duck, and quacks like a duck, we have at least to consider the possibility that we have a small aquatic bird of the family anatidae on our hands.



Douglas Adams English Writer (1952-2001)



Cosmic neutrino background, wonderful end-to-end test (indirect)

CMB+LSS limit Mv< 0.1 eV

The pessimist: The inverted hierarchy is under pressure

The optimist: If IH then a measurement of Mv is just around the corner! IH under pressure, but how much depends on choice of priors

> Cosmology is the key to determine neutrino mass scale It's challenging: galaxies can be messy, but it's what we've got. Model dependent statement. However, a wonderful end-to-end test.

Conclusions

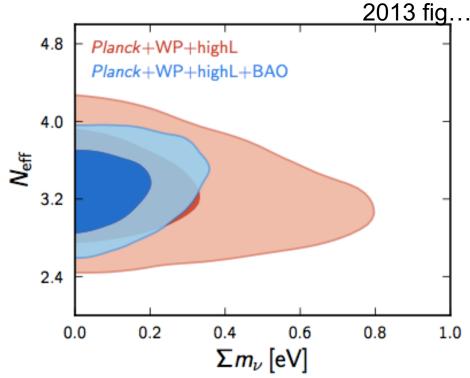
- Precision cosmology means that we can start (or prepare for) constraining interesting physical quantities
- Neutrino properties: absolute mass scale, number of families, possibly hierarchy
- My "bet": 0.06<Σmv/eV<~0.1 (95%) Large future surveys means that sub % effects become detectable, which brings in a whole new set of challenges and opportunities (e.g., mass, hierarchy)
- The (indirect) detection of neutrino masses is within the reach of forthcoming experiments (even for the minimum mass allowed by oscillations)
- Systematic and real-world effects are the challenge, need for in-build consistency checks!
- COMPLEMENTARITY is key



In summary:

• N_{eff} consistent with 3

 These are "light" neutrinos (<0.1* eV at 95%CL)



- more wiggle room: go beyond the minimal LCDM (errors gets slightly larger, but... epicycles)
- Avoid thermalization (some v. radical options)

Implications

Strong Bayesian Evidence for NH, when using the stated priors

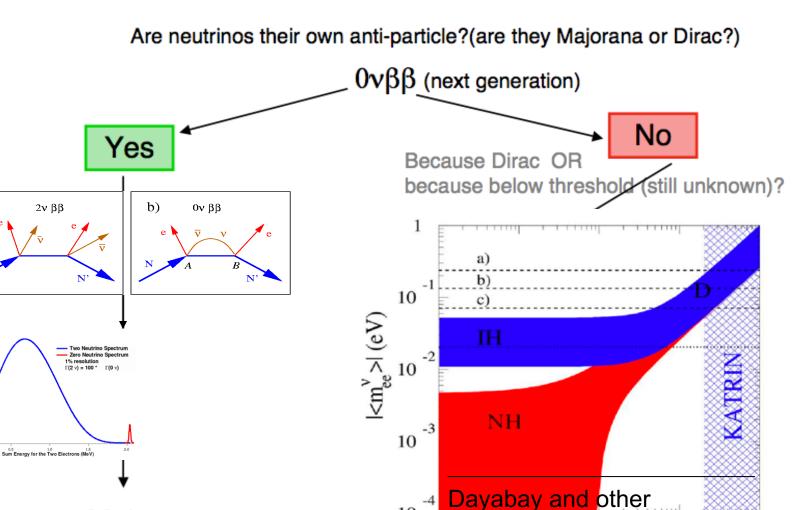
Double beta decay experiments: favours experimental techniques reaching multi-ton active mass detectors and very low background

Experiments more sensitive to normal mass hierarchy are much more likely to be successful

Conclusions could be evaded by drastically changing the prior, but you will have to be very convincing

Or by measuring $0\nu\beta\beta$ decay.

Dirac or Majorana? > hierarchy



10

 10^{-4}

 10^{-3}

 10^{-1}

 10^{-2}

m (eV)

light

Majorana

a)