

# Direct photon production in heavy ion collisions: Increased $q - \bar{q}$ photon production at hadronization

Sarah Campbell

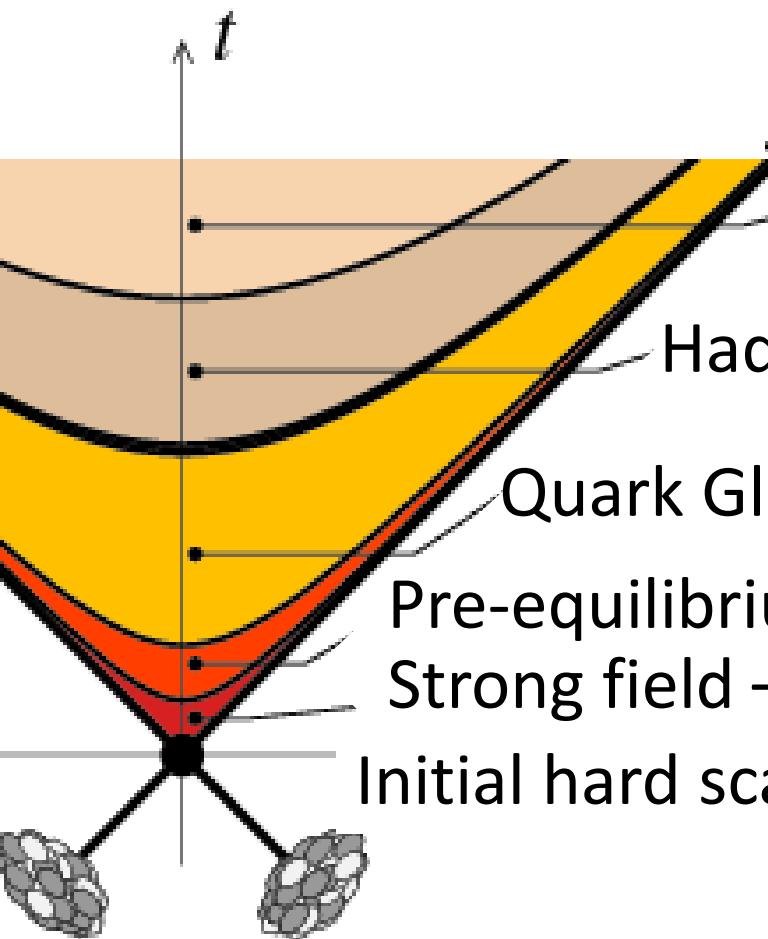


<<Ettore Majorana>> International School  
of Sub-nuclear Physics

The Erice Center – June 27, 2015

- 
- Photon production and direct photon puzzle
  - Increased photon production at confinement
  - Conclusions

# Direct photon sources



Sarah Campbell -- Erice

Free streaming hadrons

Thermal photons

Quark Gluon Plasma

Thermal photons

Pre-equilibrium phase

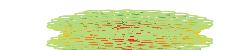
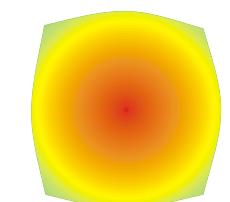
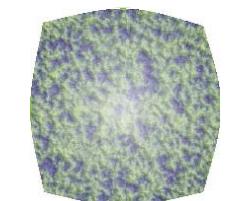
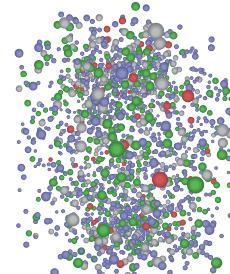
Pre-equilibrium

Strong field – Glasma?

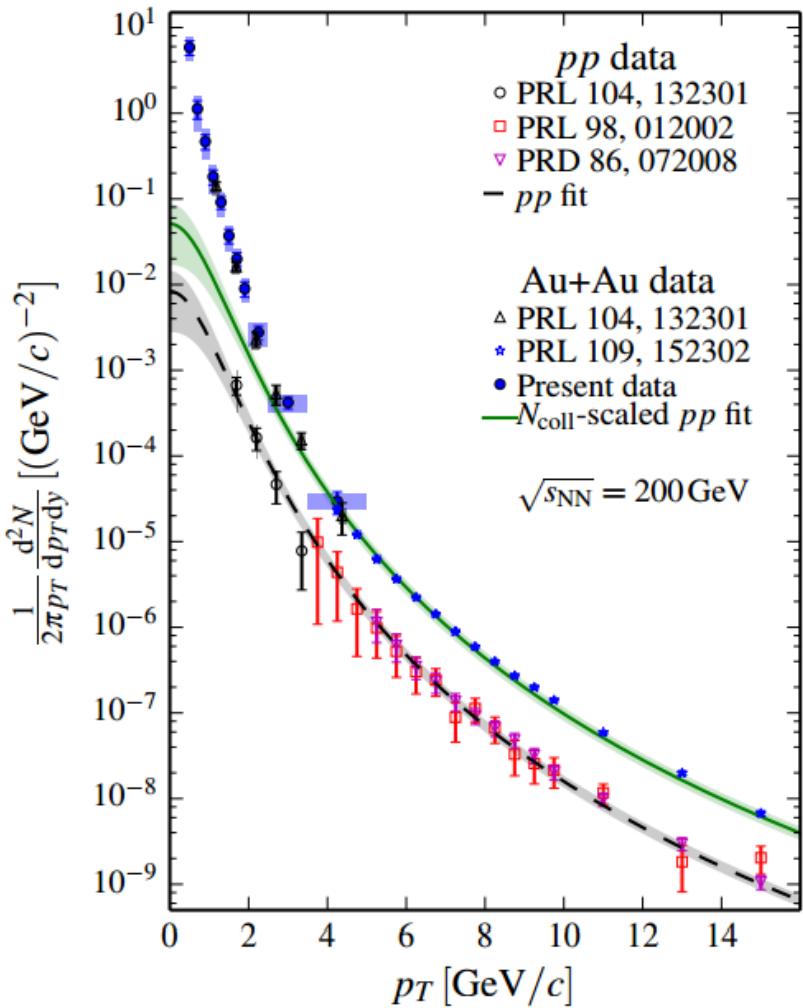
photons?

Initial hard scattering

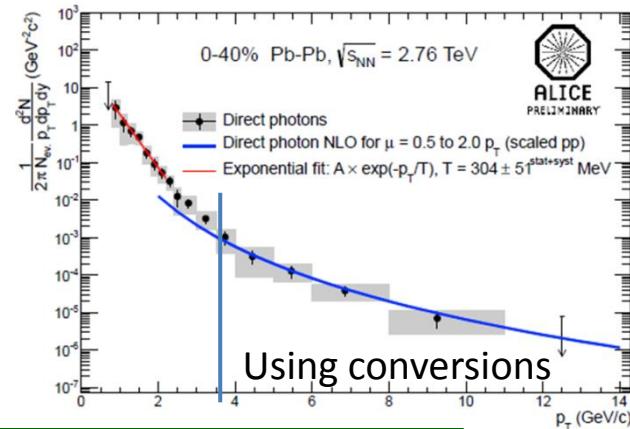
Prompt photons



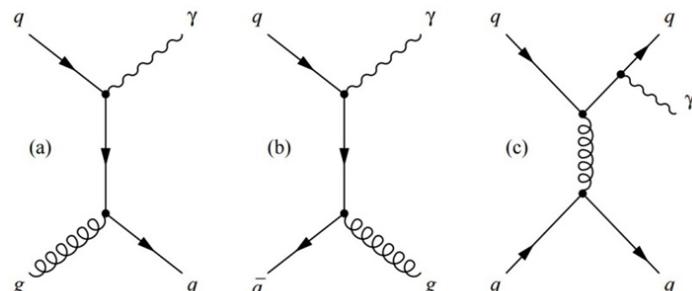
# Direct photon $p_T$ spectrum



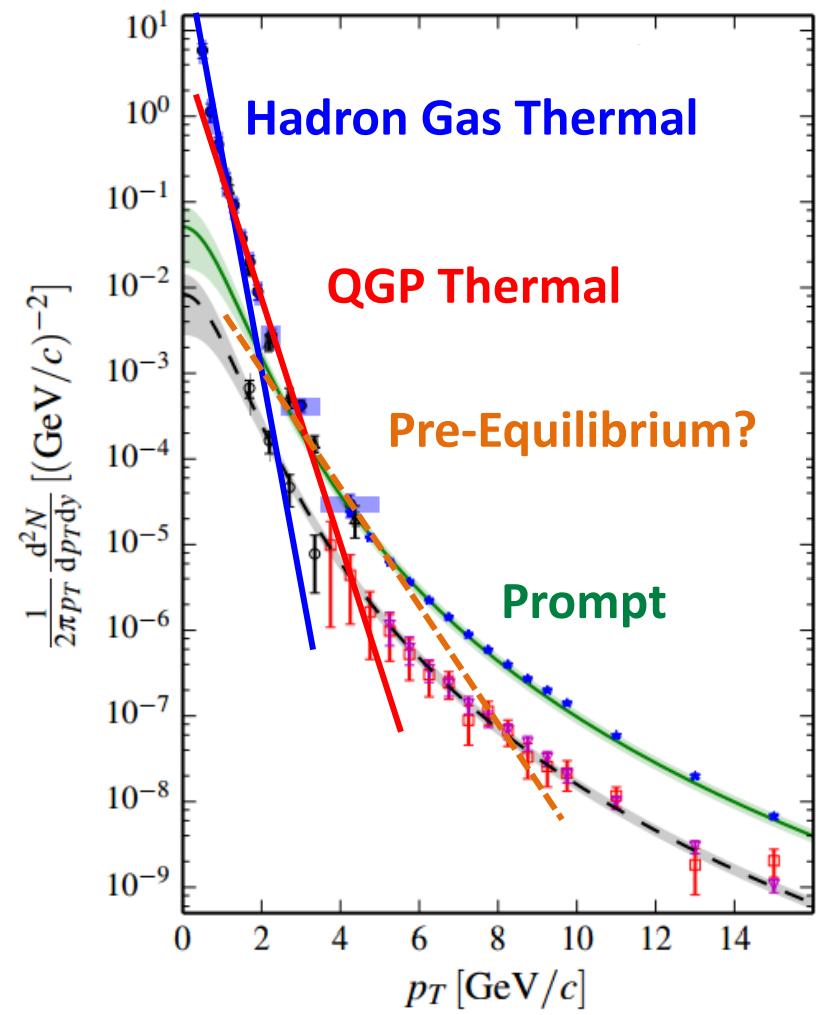
Large excess yield in A+A at low  $p_T$



Prompt photons at high  $p_T$   
 $\rightarrow$  scaled p+p yields  
 $\rightarrow$  pQCD calculations

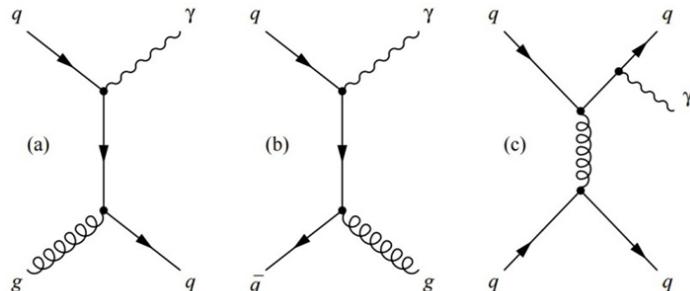


# Direct photon $p_T$ spectrum



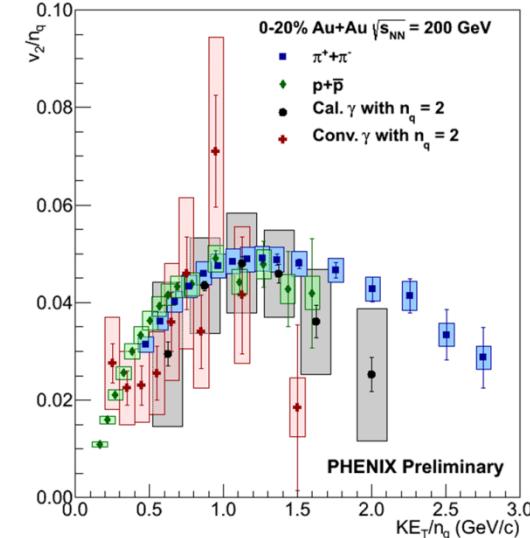
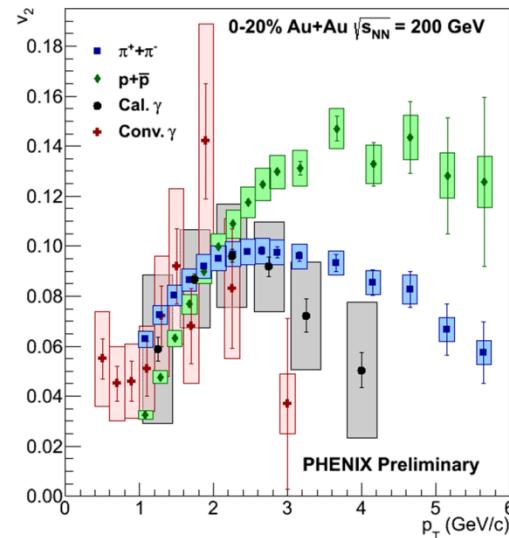
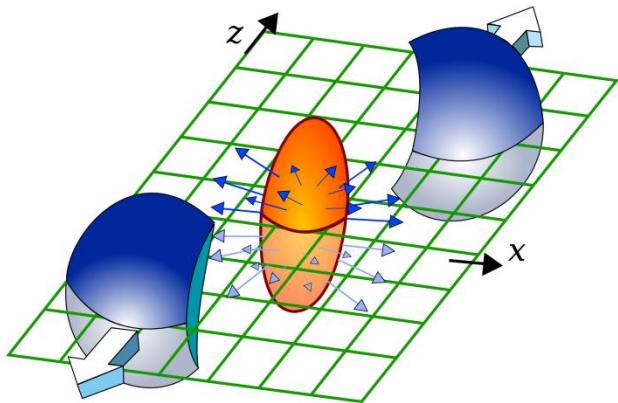
Large excess yield in Au+Au at low  $p_T$   
→ Rates not well-constrained

Prompt photons at high  $p_T$   
→ scaled p+p yields  
→ pQCD calculations



# Elliptic flow and $n_q$ -scaling

$$\frac{dN}{d(\phi - \Psi)} = N[1 + 2v_2 \cos(2(\phi - \Psi))]$$

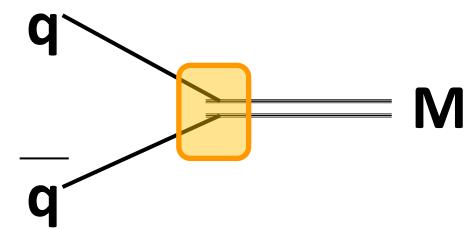


## Coalescence model

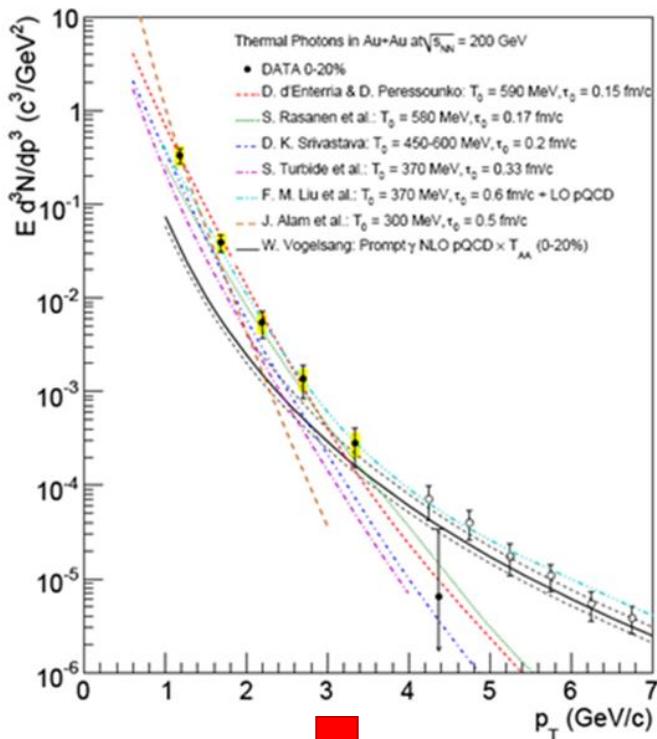
Quarks:  $\frac{dN}{d\phi} \approx 1 + 2v_{2,q}(p_{T,q}) \cos(2\phi)$

Mesons:  $p_{T,M} \rightarrow 2p_{T,q}$  and  $v_{2,M}(p_{T,M}) \rightarrow 2v_{2,q}(p_{T,M}/2)$

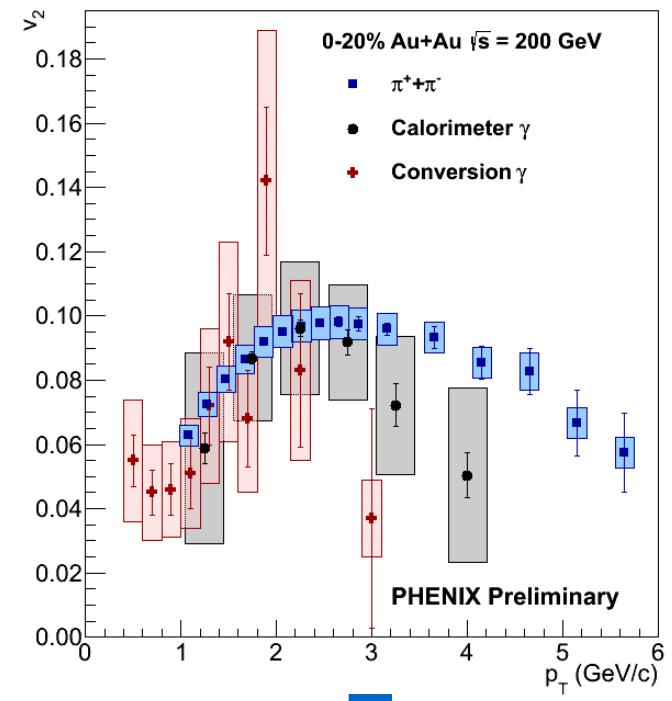
Baryons:  $p_{T,B} \rightarrow 3p_{T,q}$  and  $v_{2,B}(p_{T,B}) \rightarrow 3v_{2,q}(p_{T,B}/3)$



# Direct photon puzzle



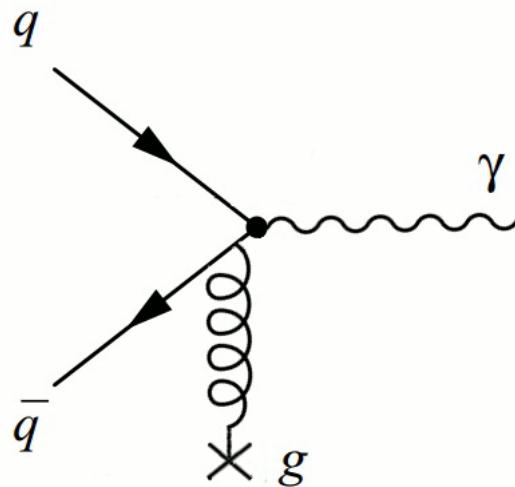
Thermal emission?  
 → most produced early



Looks like late emission  
 Direct photon  $v_2 \sim$  pion  $v_2$

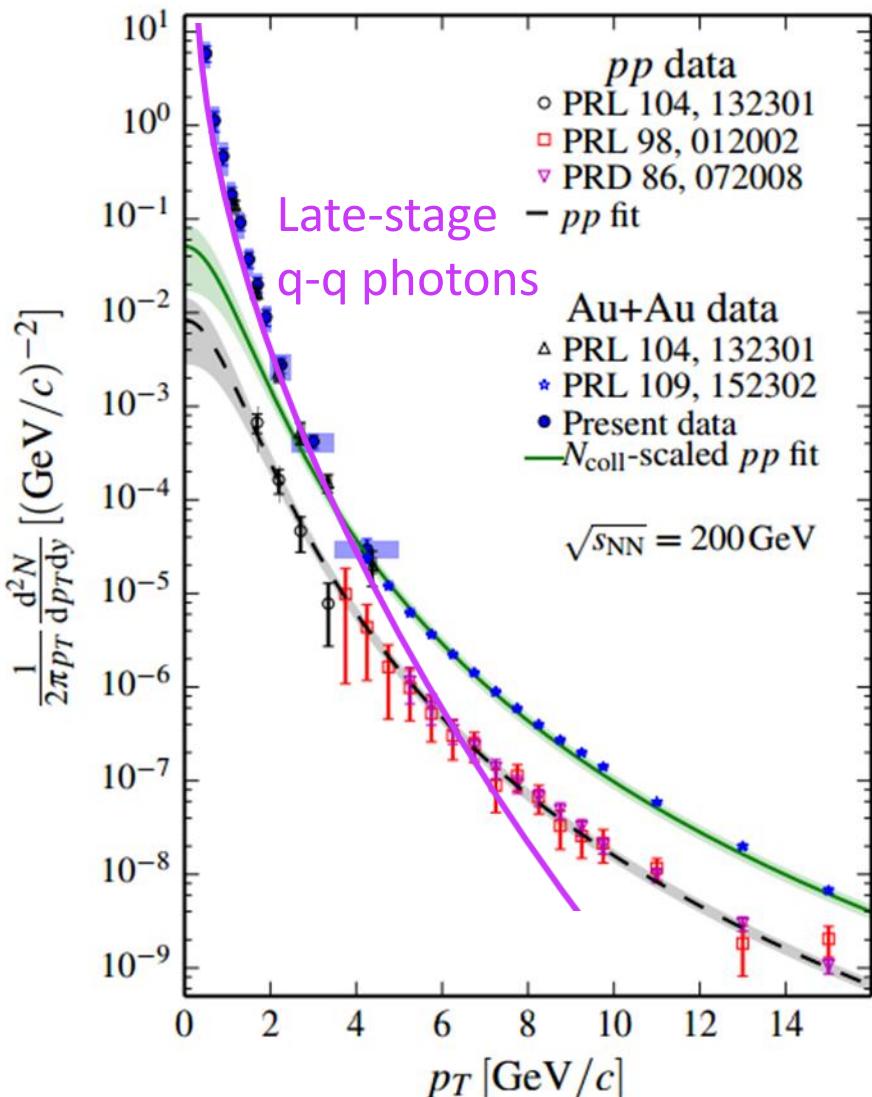
# Photon production from $q - \bar{q}$ at hadronization

Could similar soft gluon interactions lead to an increase in  $q - \bar{q}$  photon production as the system becomes color neutral?



This mechanism could produce MANY MANY photons

# Two component model



PRC 91, 064904 (2015)

Prompt photons at high p<sub>T</sub>

Late-stage  $q - \bar{q}$  photons dominate at low p<sub>T</sub>

- Should see n<sub>q</sub>-scaling of v<sub>2</sub> with n<sub>q</sub> = 2
- Can this source describe the shape of the excess p<sub>T</sub> yield?
- Can this source reproduce the v<sub>2</sub> at low p<sub>T</sub>?

# Data-driven Monte Carlo

1<sup>st</sup> quark:

1.) Randomly pick  $r^2, \phi, \eta$  from flat distributions

2.) Randomly pick  $m_T$   $\longrightarrow$  3.) Calculate  $v_2$  from  $p_T$   $\longrightarrow$  4.) Randomly pick  $\phi$

Blast Wave Distrib. ( $r, \phi, \eta$ )

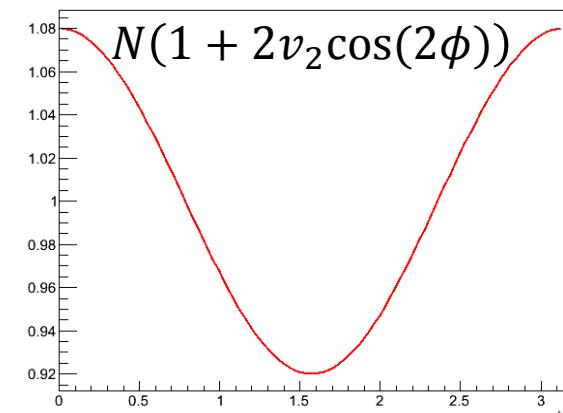
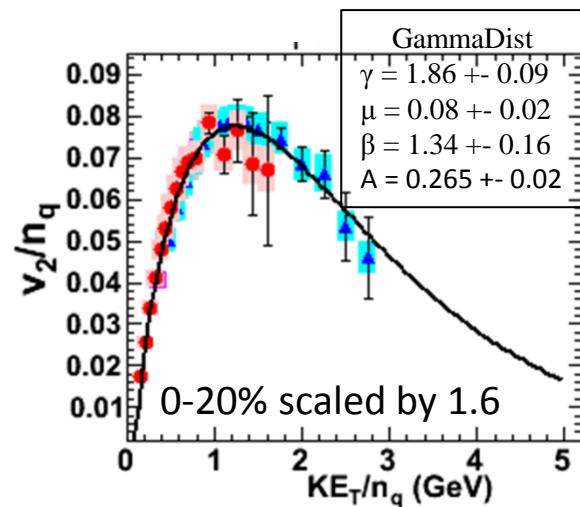
From PRD 89 026013 (2005):

$$m_q = 300 \text{ MeV}$$

$$T = 106 \text{ MeV}$$

$$R = 8.5 \text{ fm}$$

$$\beta_s = 0.75$$
  
$$\alpha = 1$$
  
$$\left. \right\} \langle \beta \rangle = 0.5$$



2<sup>nd</sup>, 3<sup>rd</sup> quarks:

5.) Assume at the same Blast Wave Distrib. as 1<sup>st</sup> quark

6.) Repeat steps 2-4 for 2<sup>nd</sup>, 3<sup>rd</sup> quark

Make pairs:

7.) Apply co-moving requirements (PRC 68 034904 (2003))  
8.) Bring on mass shell, conserve KE

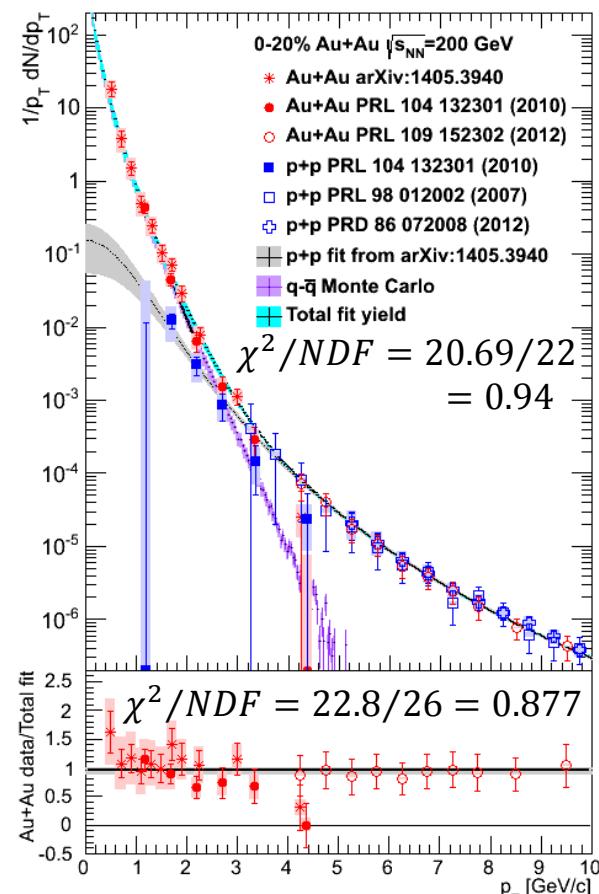
# Direct photon $p_T$ spectrum and $v_2$

Fit to the measured yields:

$$\frac{1}{p_T} \frac{dN}{dp_T} = N \left( \frac{1}{p_T} \frac{dN}{dp_T} \right)_{MC} + T_{AA} \left( \frac{1}{p_T} \frac{dN}{dp_T} \right)_{pp}$$

Free parameter

From p+p data, p+p fit at low  $p_T$



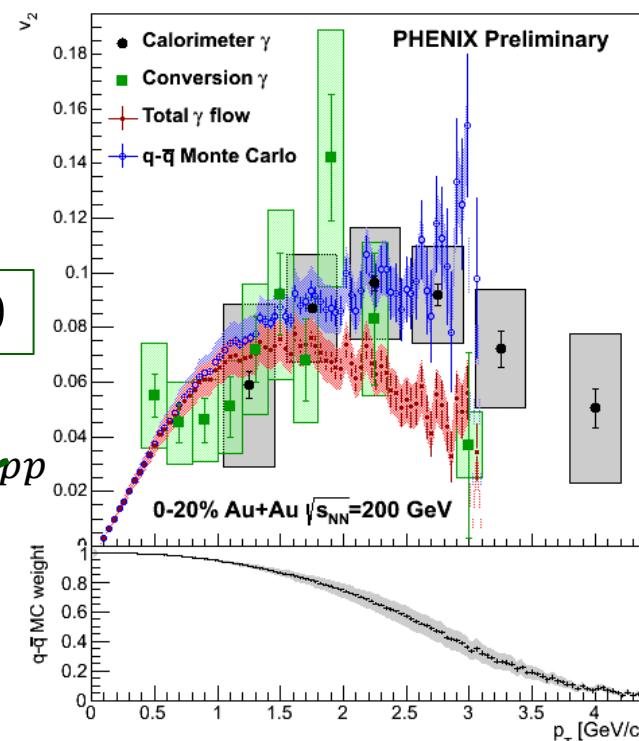
Describes the  $p_T$  shape of the excess.

$$v_2 = \frac{Yield_{MC}}{Yield_{Total}} v_2^{MC} + \frac{Yield_{pp}}{Yield_{Total}} v_2^{pp}$$

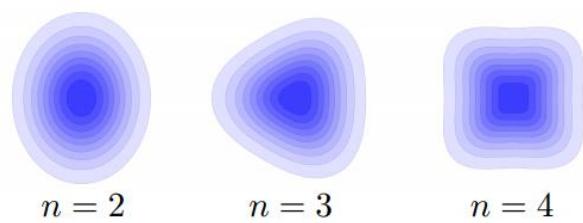
$q - \bar{q}$  MC weight

$v_2^{pp} = 0$

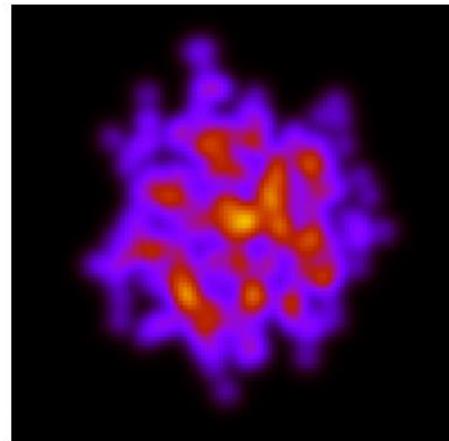
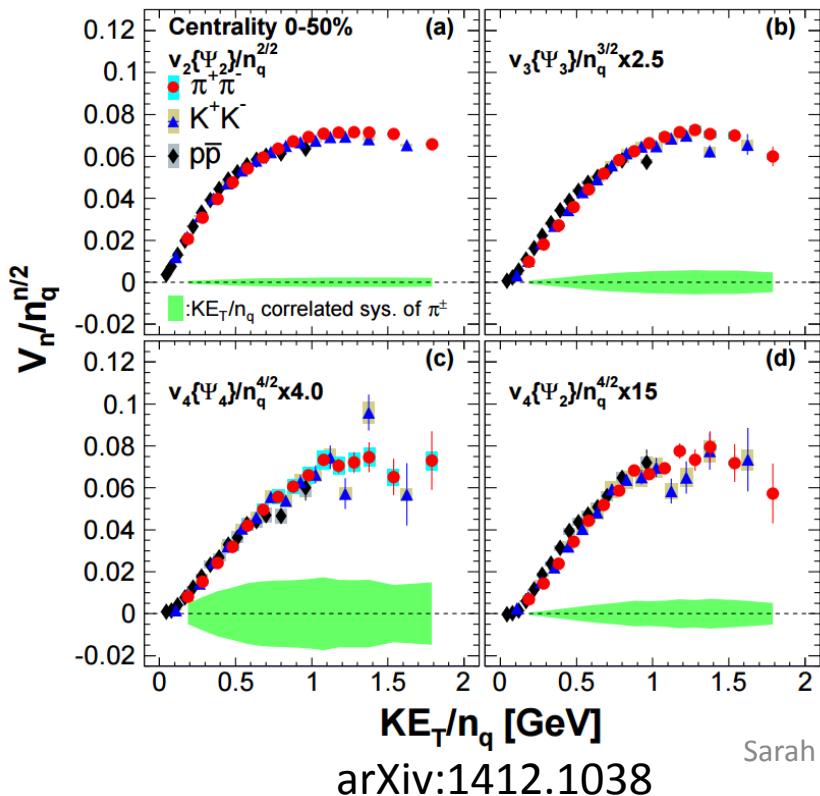
Reproduces the size of the large  $v_2$ .  
 → systematically low at  $p_T > 2$  GeV/c



# Higher orders of $v_n$



Sensitive to fluctuations in the initial energy distributions in the nuclei



Schenke, Jeon and Gale  
PRL 106 042301 (2011)

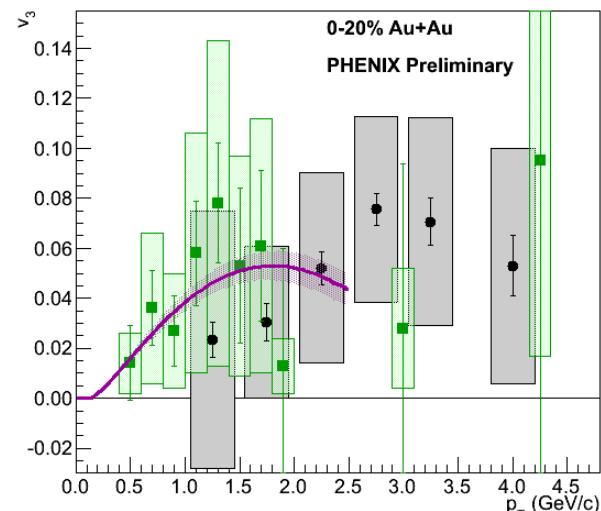
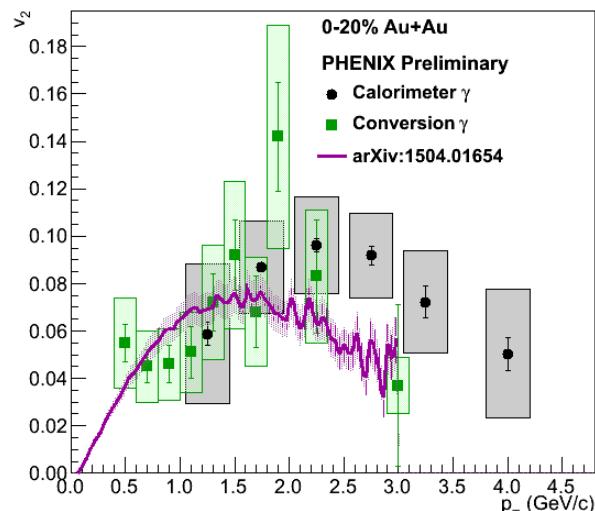
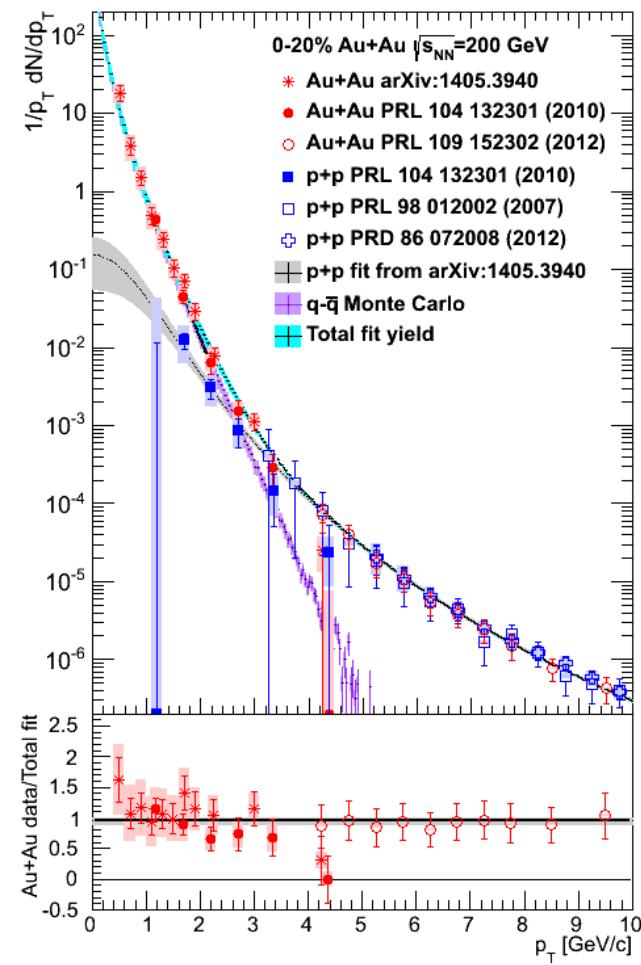
Modified  $n_q$ -scaling

$$v_n / n_q^{n/2}$$

This scaling should extend to direct photons with  $n_{q\gamma} = 2$

# Results in 0-20% $\sqrt{s_{NN}} = 200$ GeV Au+Au

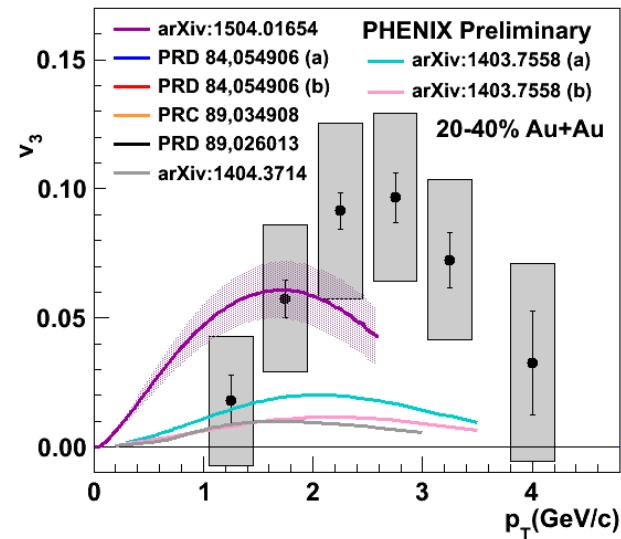
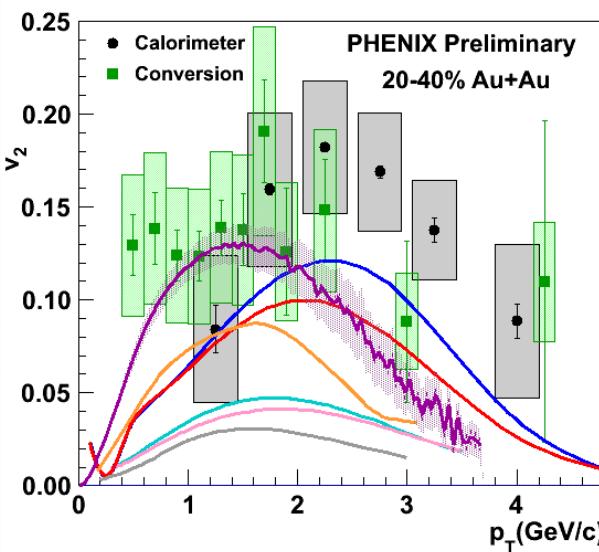
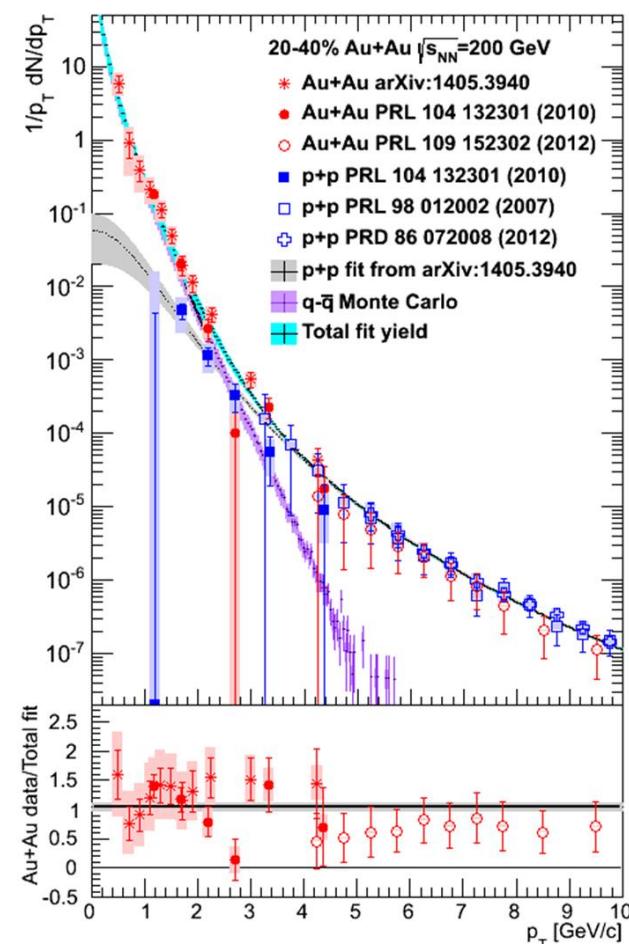
$$\chi^2/NDF = 20.69/22 \\ = 0.94$$



$$\chi^2/NDF = 22.8/26 = 0.877$$

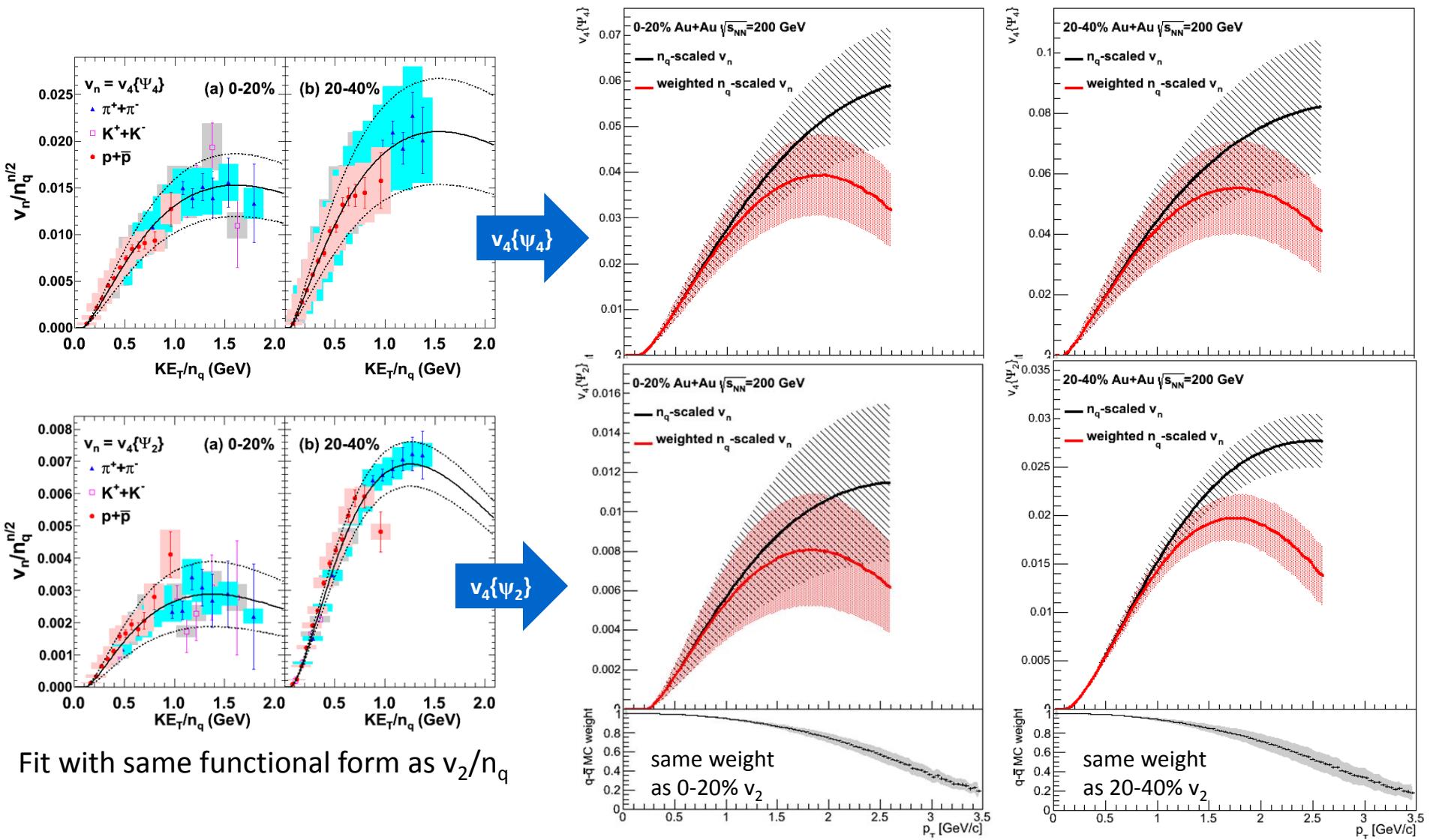
# Results in 20-40% $\sqrt{s_{NN}} = 200$ GeV Au+Au compared with other models

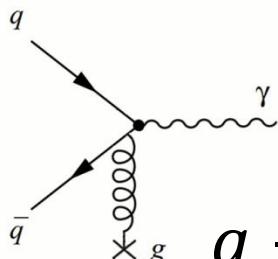
$$\chi^2/NDF = 35.12/22 = 1.60$$



$$\chi^2/NDF = 32.5/26 = 1.25$$

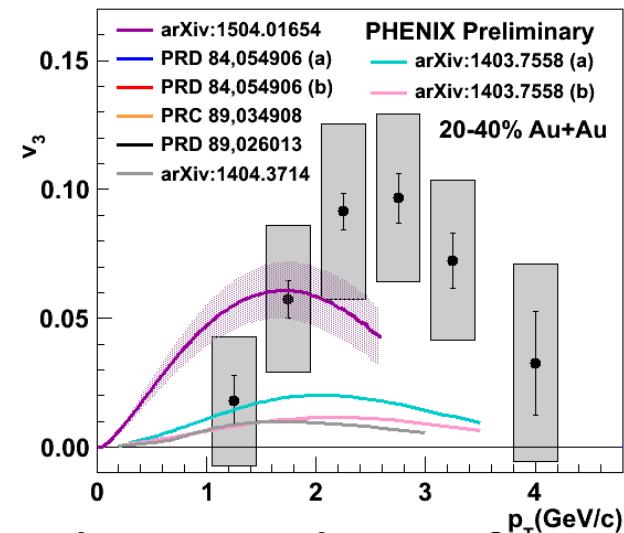
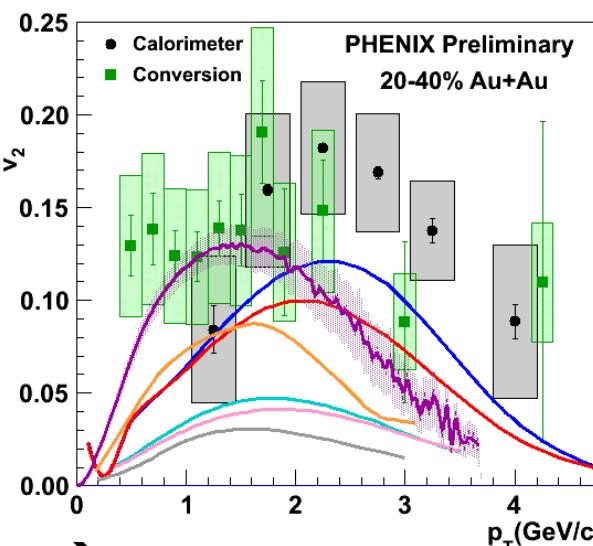
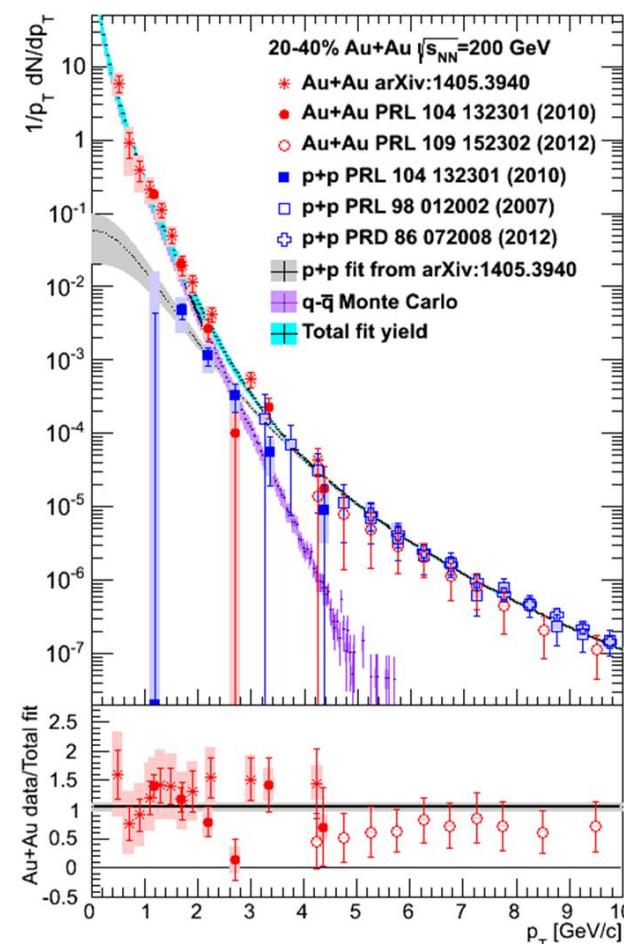
# $v_4\{\psi_4\}$ and $v_4\{\psi_2\}$ Predictions





# Conclusions

$q - \bar{q}$  photon production at confinement describes the direct photon  $p_T$  shape and large  $v_2$  values



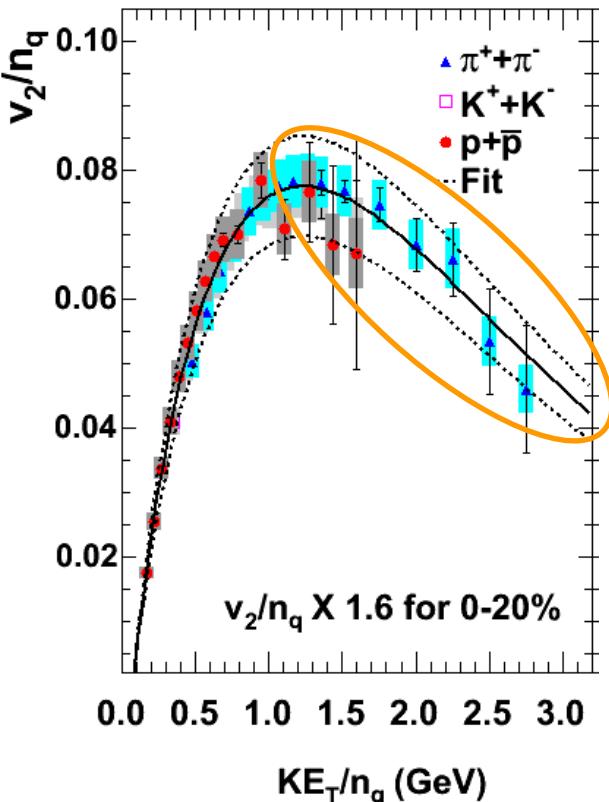
- Data consistent with  $n_q$ -scaling of  $v_2$ ,  
where  $n_{q\gamma} = 2$
- Modified  $n_q$ -scaling predicted for  $v_n$
- in 0-20%:  $v_4\{\Psi_4\} \sim 0.04$ ,  $v_4\{\Psi_2\} \sim 0.008$
- in 20-40%:  $v_4\{\Psi_4\} \sim 0.06$ ,  $v_4\{\Psi_2\} \sim 0.02$

For more information see arXiv:1504.01654 – In press at PRC

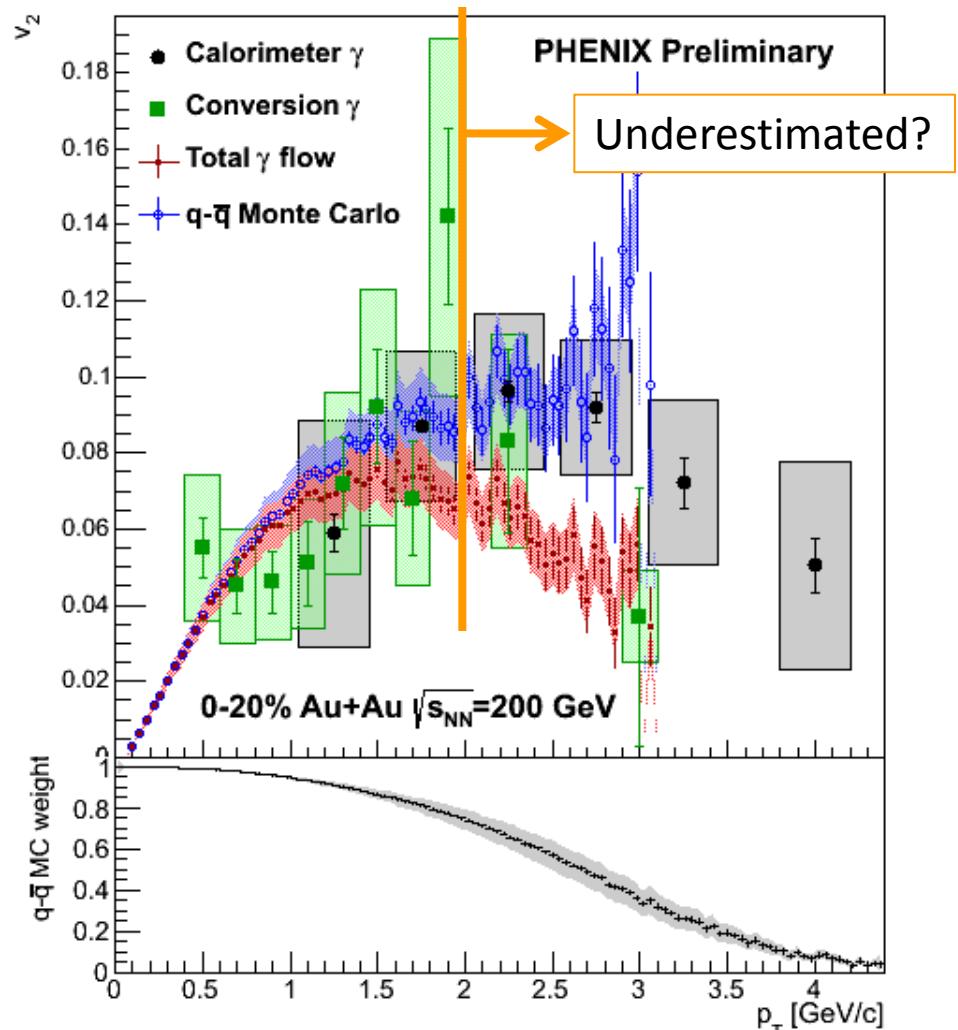
# Backup

# Future improvements

Use  $v_2/n_q$  from  $\pi$ ,  $K$ ,  $p$  as a proxy for the quark  $v_2$

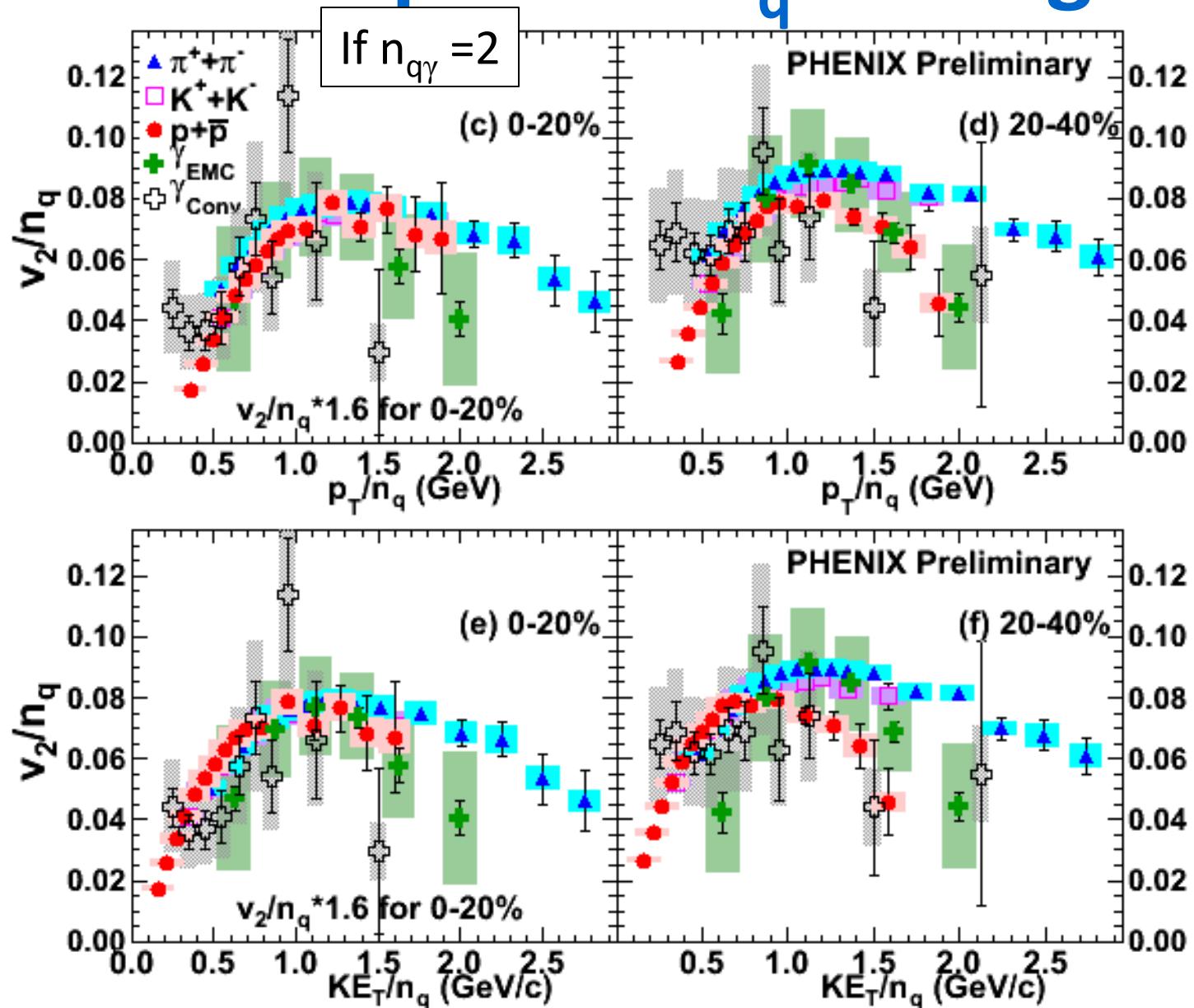


At high  $KE_T/n_q$ , hard components in  $\pi$  pull down this 'quark'  $v_2$



Need better source for quark  $v_2$   
→ Hydro?

# Direct photon $n_q$ -scaling



# Find optimal $n_{q\gamma}$ using $\chi^2$

$$\chi^2 = \sum_{Cent.} \sum_{\pi, K, p} \sum_{KE_T/n_q} \frac{(v_{2\gamma}/n_{q\gamma} - v_{2h}/n_q)^2}{(\sigma_\gamma/n_{q\gamma})^2 + (\sigma_h/n_q)^2}$$

Published data in two  $KE_T/n_q$  ranges

The only free parameter

## Data-Data Calculation

- $v_{2h}/n_q$  from  $\pi, K, p$  identified hadron data
- $\Delta KE_T/n_q < 0.1$
- NDF changes with  $n_{q\gamma}$ ,  $\chi^2$  discontinuous

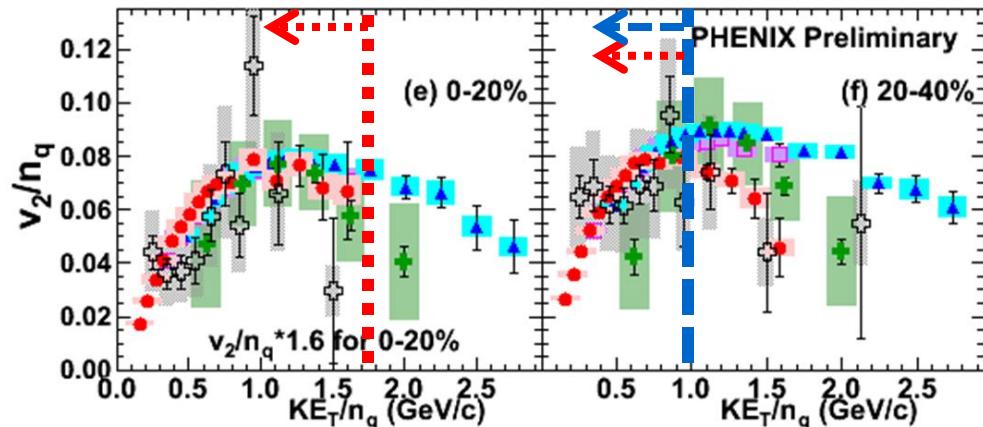
## Data-Fit Calculation

- $v_{2h}/n_q$  from fit to  $\pi, K, p$  identified hadron data
  - Use probability density function of Gamma distribution,  
$$G(x) = A \frac{((x-\mu)/\beta)^{\gamma-1} e^{-(x-\mu)/\beta}}{\beta \Gamma(\gamma)}$$
- TMinuit simultaneous fit to 0-20% and 20-40%

# $\chi^2$ Results

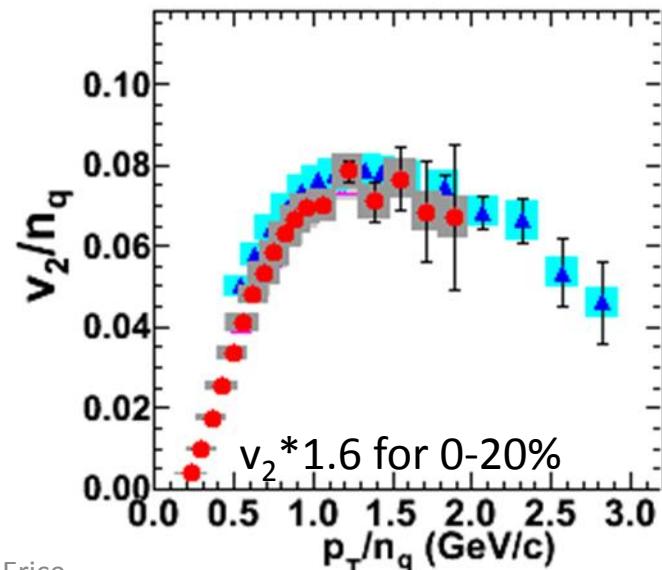
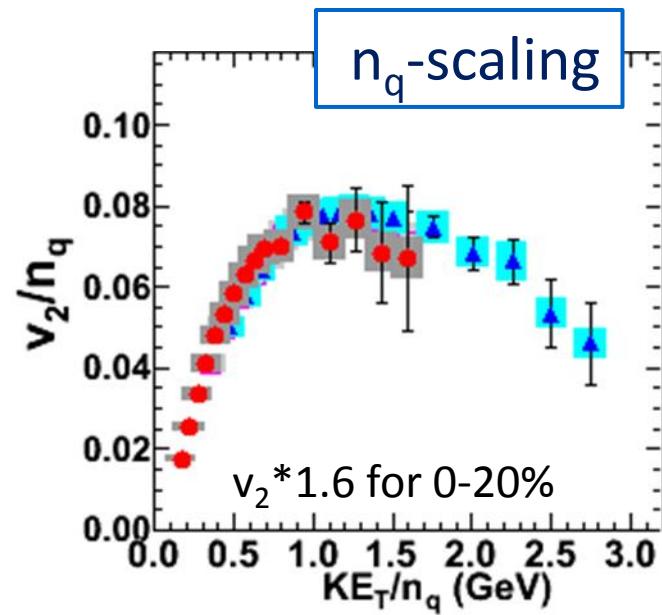
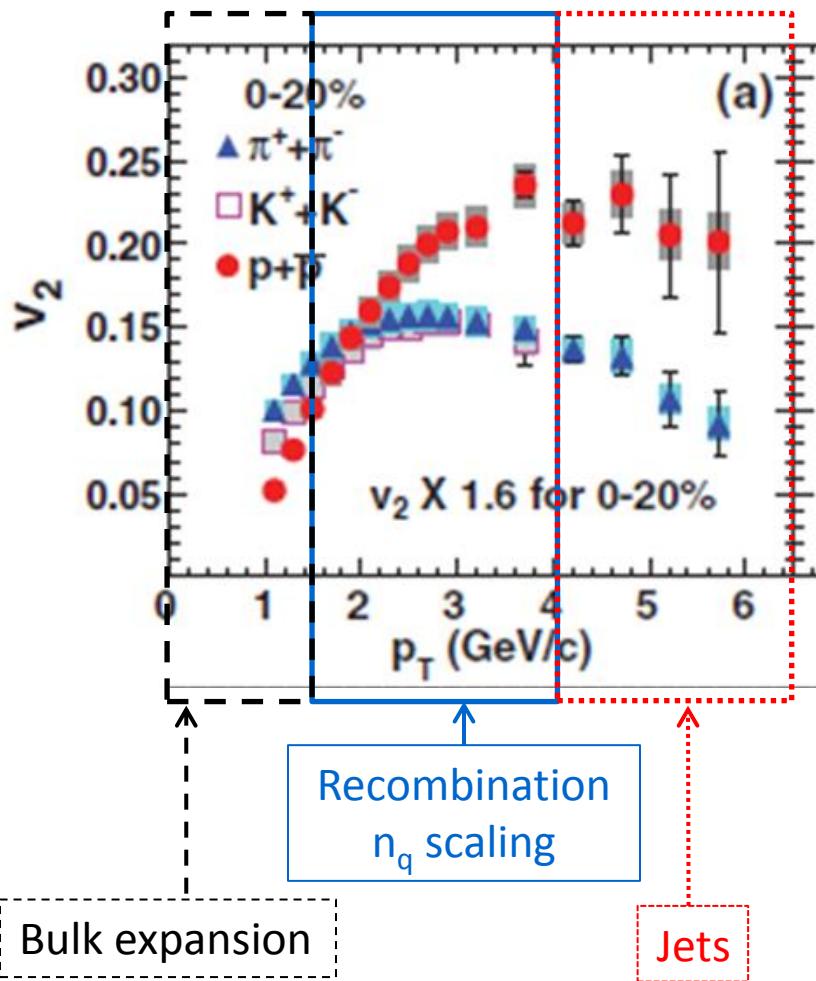
HEADING	$n_{q\gamma} \pm (stat)$	$n_{q\gamma} = 2$	$n_{q\gamma} \pm (stat) \pm (sys)$	$n_{q\gamma} = 2$
	$\sigma_\gamma = \sigma_{stat} \oplus \sigma_{sys}$	$\sigma_\gamma = \sigma_{stat}$	$n_{q\gamma} \pm (stat) \pm (sys)$	$n_{q\gamma} = 2$
Data, Range 1	$1.79^{+0.08}_{-0.27}$	$2\sigma$	$1.79^{+0.002+0.67}_{-0.01-0.72}$	$1\sigma$
Data, Range 2	$1.79 \pm 0.27$	$1\sigma$	$1.79^{+0.002+1.09}_{-0.01-0.72}$	$1\sigma$
Fit, Range 1	$1.59 \pm 0.22$	$2\sigma$	$1.79 \pm 0.02^{+0.85}_{-0.68}$	$1\sigma$
Fit, Range 2	$1.83 \pm 0.44$	$1\sigma$	$1.88 \pm 0.07^{+1.18}_{-0.71}$	$1\sigma$

Optimal value of  $n_{q\gamma} = 1.8$   
 → Need reduced  
 systematic errors

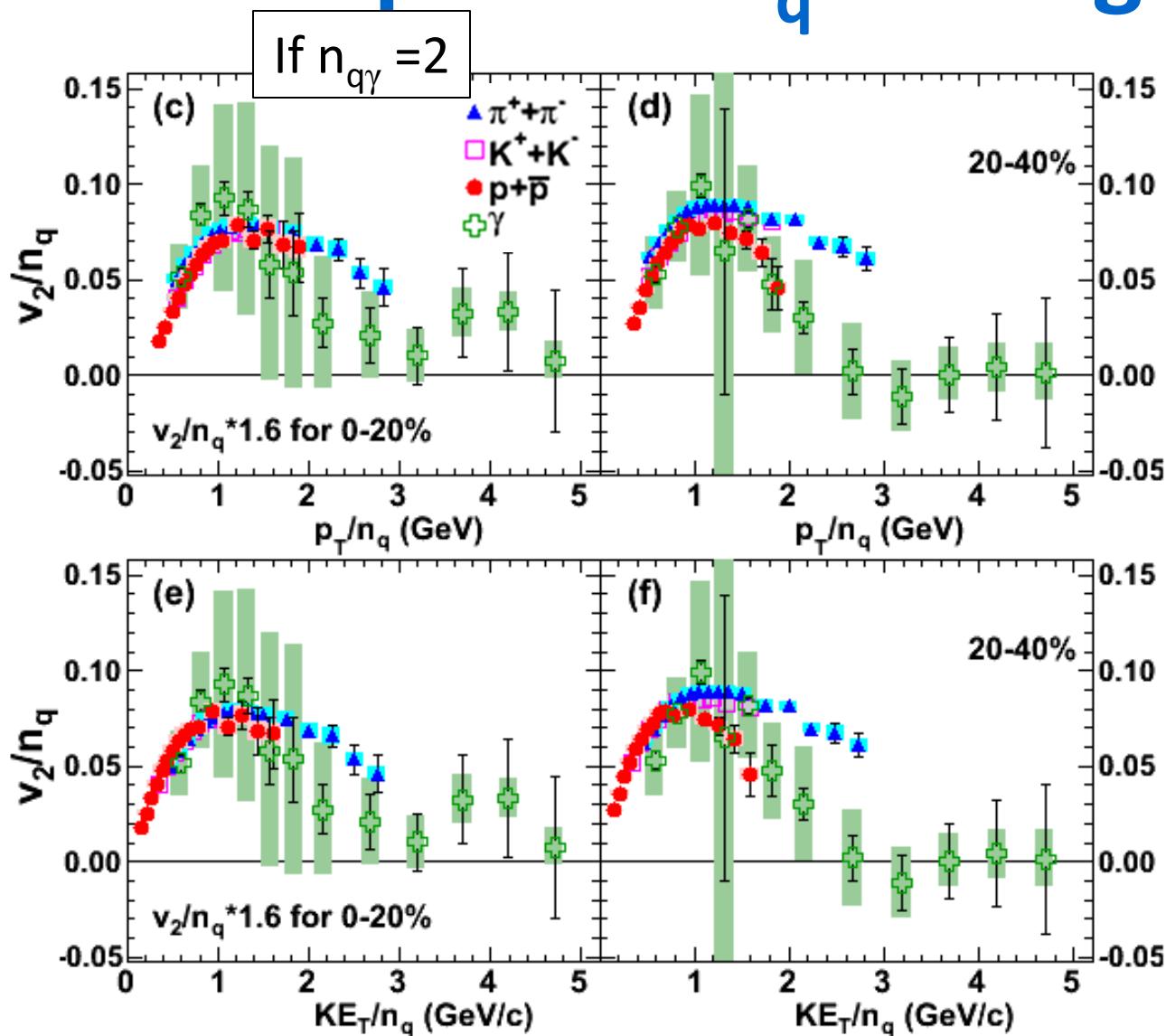


Data is consistent with the  $n_{q\gamma} = 2$  hypothesis

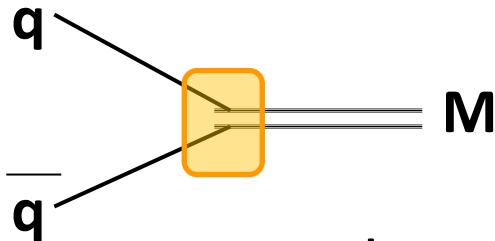
# Hadronic flow



# Direct photon $n_q$ -scaling

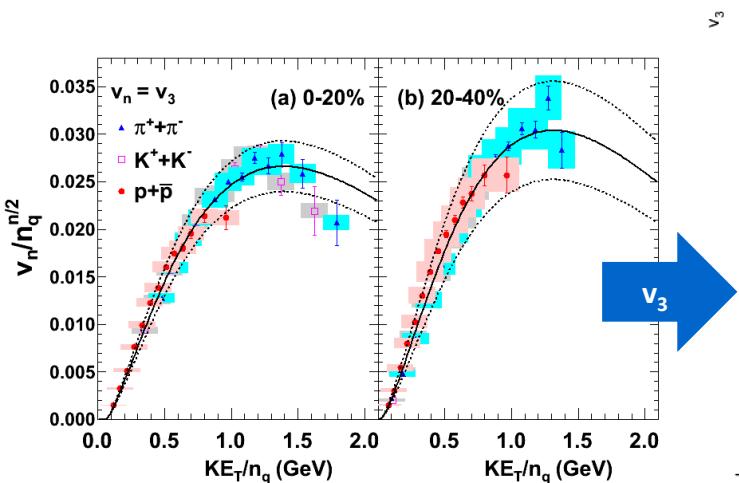
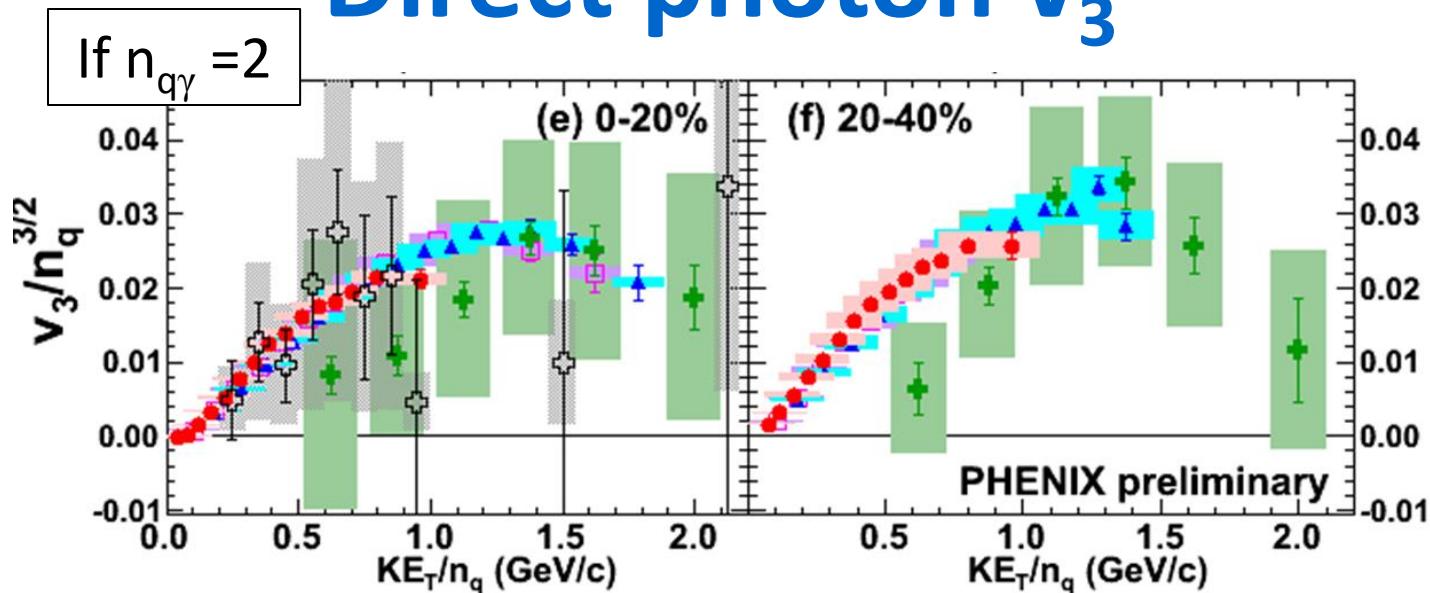


# Coalescence Model

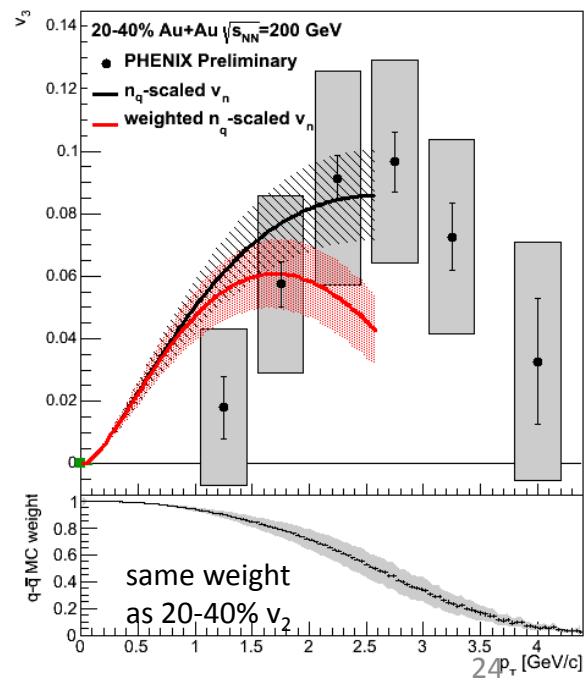
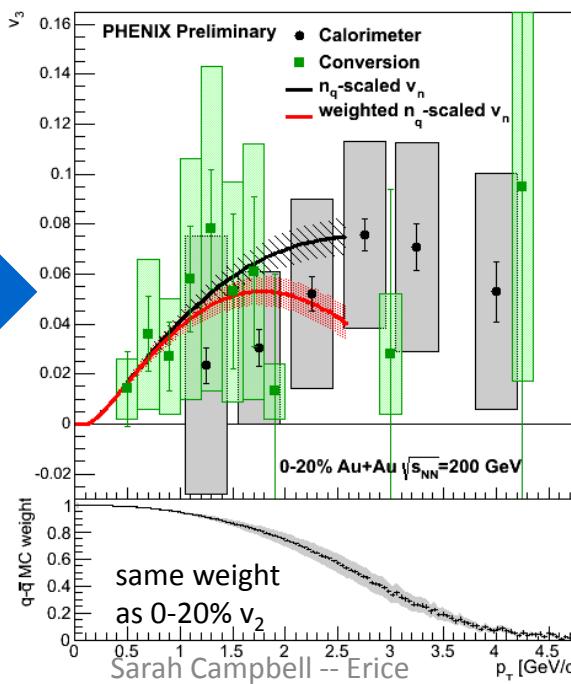


- Quarks:  $dN/d\phi \sim 1 + 2v_{2,q}(p_T) \cos(2\phi)$
- Mesons:  $v_2(p_T) = 2v_{2,q}(p_T/2)$
- Baryons:  $v_2(p_T) = 3v_{2,q}(p_T/3)$
- Assumes co-moving quarks of same momentum
  - $p_{T,M} \rightarrow 2p_{T,q}$        $p_{T,B} \rightarrow 3p_{T,q}$
  - Momentum conservation maintained by mean-field interaction
- Quarks close in phase space

# Direct photon $v_3$



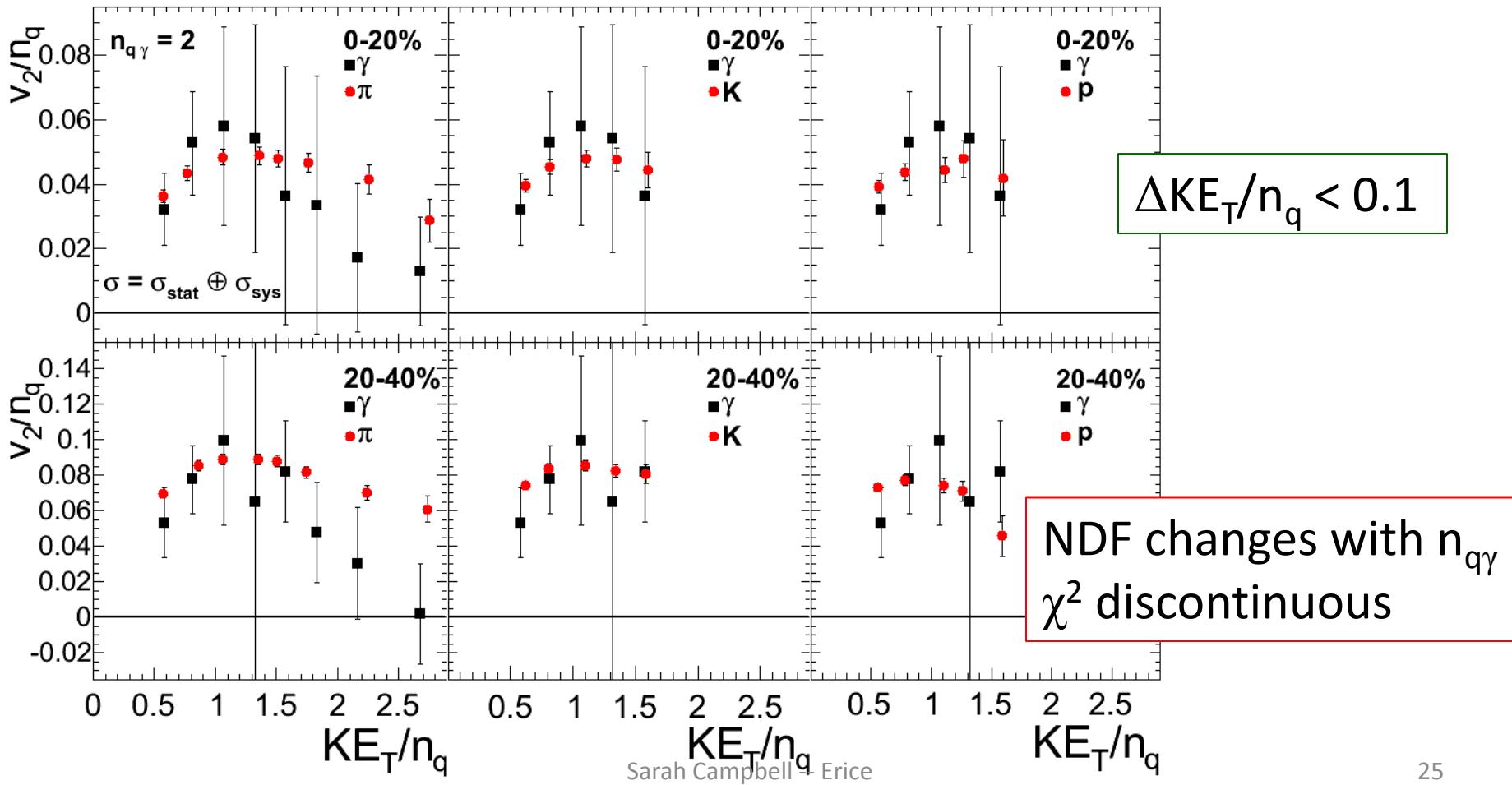
Fit with same functional form as  $v_2/n_q$



# Data-Data $\chi^2$ Calculation

$$\chi^2 = \sum_{Cent.} \sum_{\pi, K, p} \sum_{KE_T/n_q} \frac{(v_{2\gamma}/n_{q\gamma} - v_{2h}/n_q)^2}{(\sigma_\gamma/n_{q\gamma})^2 + (\sigma_h/n_q)^2}$$

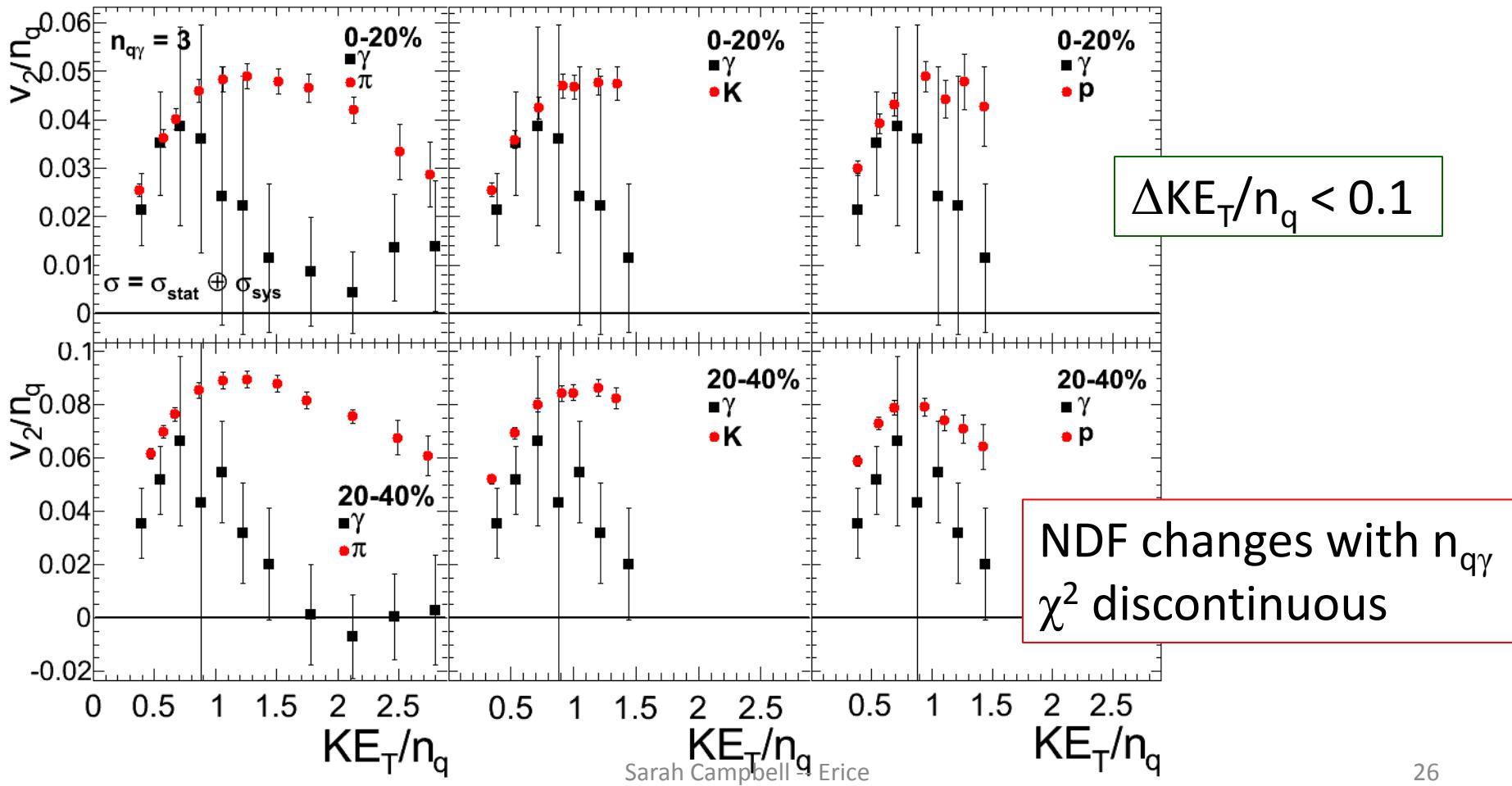
$$\begin{aligned}\chi^2/\text{NDF} &= 16.28/35 \\ &= 0.47\end{aligned}$$



# Data-Data $\chi^2$ Calculation

$$\chi^2 = \sum_{Cent. \pi, K, p} \sum_{KE_T/n_q} \frac{(v_{2\gamma}/n_{q\gamma} - v_{2h}/n_q)^2}{(\sigma_\gamma/n_{q\gamma})^2 + (\sigma_h/n_q)^2}$$

$$\begin{aligned}\chi^2/\text{NDF} &= 186.3/50 \\ &= 3.89\end{aligned}$$



# Compare $n_q$ -scaled $v_2$ for $\gamma$ and hadrons

- $\chi^2 = \sum_{c,h,pT/nq} (v_{2,\gamma}/n_{q,\gamma} - v_{2,h}/n_{q,h})^2 / (\sigma_\gamma^2 + \sigma_h^2)$ 
  - Sum over centrality, hadron for each  $\gamma$  data point in  $p_T/n_q$
  - $\sigma^2 = \sigma_{\text{sys}}^2 + \sigma_{\text{stat}}^2$
- Match  $v_{2,\gamma}$  and  $v_{2,h}$  points so  $p_{T,\gamma}/n_{q,\gamma} \sim p_{T,h}/n_{q,h}$ 
  - Need to be within 0.1 to be a match
- NDF = # points – 1 parameter  $\rightarrow n_{q,\gamma}$ 
  - As changes  $n_{q,\gamma}$ , NDF changes
- Find  $n_{q,\gamma}$  at minimum  $\chi^2/\text{NDF}$ 
  - $n_{q,\gamma}$  error range from  $\chi^2/\text{NDF} + 1$
- Alternate comparison:      use  $KE_T/n_q$  to match

# Find optimal $n_{q\gamma}$ using $\chi^2$

$$\chi^2 = \sum_{Cent.} \sum_{\pi, K, p} \sum_{KE_T/n_q} \frac{(v_{2\gamma}/n_{q\gamma} - v_{2h}/n_q)^2}{(\sigma_\gamma/n_{q\gamma})^2 + (\sigma_h/n_q)^2}$$

The only free parameter

## Data-Data Calculation

- $v_{2h}/n_q$  from  $\pi, K, p$  identified hadron data

## Data-Fit Calculation

- $v_{2h}/n_q$  from fit to  $\pi, K, p$  identified hadron data

# Find optimal $n_{q\gamma}$ using $\chi^2$

$$\chi^2 = \sum_{Cent.} \sum_{\pi, K, p} \sum_{KE_T/n_q} \frac{(v_{2\gamma}/n_{q\gamma} - v_{2h}/n_q)^2}{(\sigma_\gamma/n_{q\gamma})^2 + (\sigma_h/n_q)^2}$$

The only free parameter

## Data-Data Calculation

- $v_{2h}/n_q$  from  $\pi, K, p$  identified hadron data
- $\Delta KE_T/n_q < 0.1$
- NDF changes with  $n_{q\gamma}$ ,  $\chi^2$  discontinuous

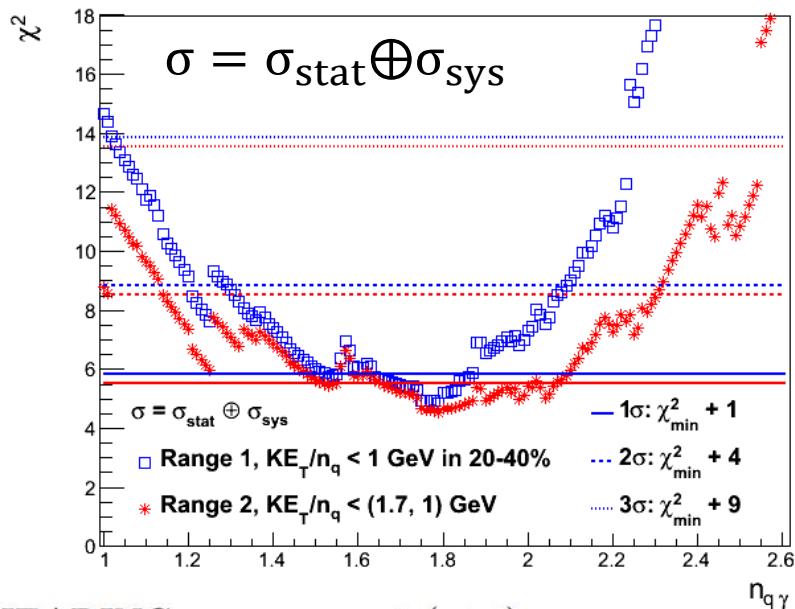
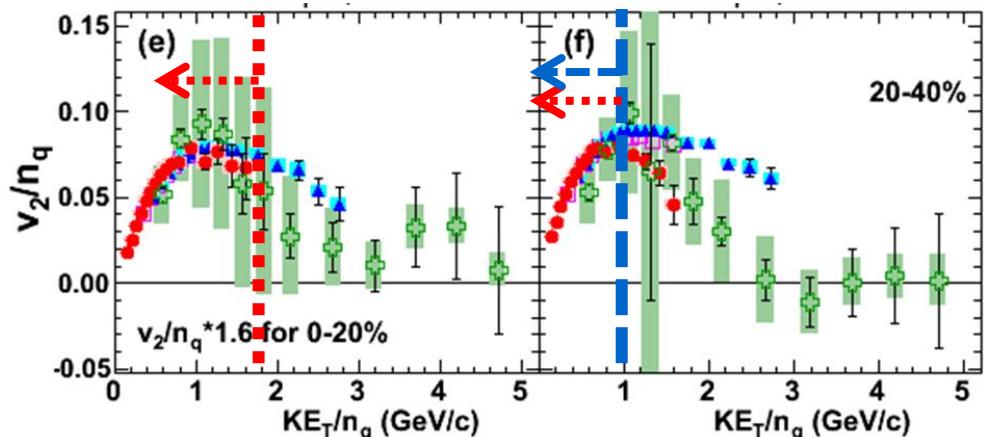
## Data-Fit Calculation

- $v_{2h}/n_q$  from fit to  $\pi, K, p$  identified hadron data

# Data-Data Results

$$\chi^2 = \sum_{Cent. \pi, K, p} \sum_{KE_T/n_q} \frac{(v_{2\gamma}/n_{q\gamma} - v_{2h}/n_q)^2}{(\sigma_\gamma/n_{q\gamma})^2 + (\sigma_h/n_q)^2}$$

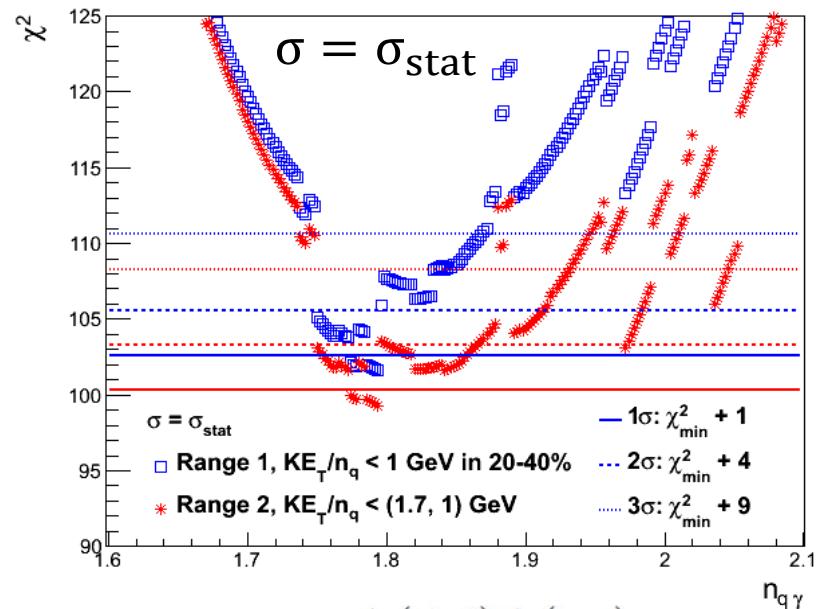
Range 1:  $KE_T/n_q < 1$  GeV in 20-40%  
 Range 2:  $KE_T/n_q < 1.7$  GeV in 0-20%  
 $KE_T/n_q < 1$  GeV in 20-40%



HEADING  $n_{q\gamma} \pm (stat)$

Data, Range 1  $1.79^{+0.08}_{-0.27}$

Data, Range 2  $1.79 \pm 0.27$



$n_{q\gamma} \pm (stat) \pm (sys)$

$1.79^{+0.002+0.67}_{-0.01-0.72}$

$1.79^{+0.002+1.09}_{-0.01-0.72}$

# Data-Fit Calculation

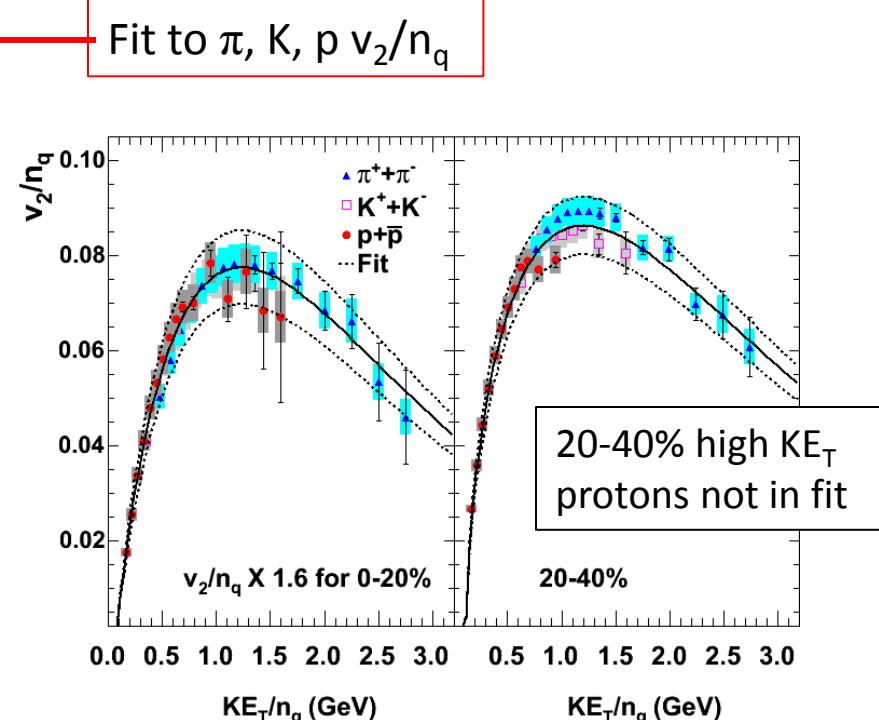
Simultaneous fit to 0-20% and 20-40% with TMinuit

$$\chi^2 = \sum_{Cent.} \sum_{\pi, K, p} \sum_{KE_T/n_q} \frac{(v_{2\gamma}/n_{q\gamma} - v_{2h}/n_q)^2}{(\sigma_\gamma/n_{q\gamma})^2 + (\sigma_h/n_q)^2}$$

Fit to  $\pi, K, p$   $v_2/n_q$

Use probability density function of Gamma distribution,

$$G(x) = A \frac{((x-\mu)/\beta)^{\gamma-1} e^{-(x-\mu)/\beta}}{\beta \Gamma(\gamma)}$$



$$\sigma_\gamma = \sigma_{stat} \oplus \sigma_{sys}$$

HEADING	$n_{q\gamma} \pm (stat)$
---------	--------------------------

Fit, Range 1	$1.59 \pm 0.22$

Fit, Range 2	$1.83 \pm 0.44$

$$\sigma_\gamma = \sigma_{stat}$$

$n_{q\gamma} \pm (stat) \pm (sys)$
------------------------------------

$1.79 \pm 0.02^{+0.85}_{-0.68}$

$1.88 \pm 0.07^{+1.18}_{-0.71}$

# $\chi^2$ Results

## Uncorrelated sys errors

## Fully-correlated sys errors

	$\sigma_\gamma = \sigma_{stat} \oplus \sigma_{sys}$		$\sigma_\gamma = \sigma_{stat}$	
HEADING	$n_{q\gamma} \pm (stat)$	$\chi^2/NDF$	$n_{q\gamma} \pm (stat) \pm (sys)$	$\chi^2/NDF$
Data, Range 1	$1.79^{+0.08}_{-0.27}$	$4.85/20 = 0.24$	$1.79^{+0.002+0.67}_{-0.01-0.72}$	$101.6/20 = 5.1$
Data, Range 2	$1.79 \pm 0.27$	$4.53/17 = 0.27$	$1.79^{+0.002+1.09}_{-0.01-0.72}$	$99.5/17 = 5.9$
Fit, Range 1	$1.59 \pm 0.22$	$3.51/13 = 0.26$	$1.79 \pm 0.02^{+0.85}_{-0.68}$	$44.67/14 = 3.19$
Fit, Range 2	$1.83 \pm 0.44$	$1.55/5 = 0.31$	$1.88 \pm 0.07^{+1.18}_{-0.71}$	$34.14/6 = 5.68$

$\chi^2/NDF < 1$   
 $\rightarrow$  over-estimating  
uncorrelated errors

$\chi^2/NDF > 1$   
 $\rightarrow$  under-estimating  
uncorrelated errors

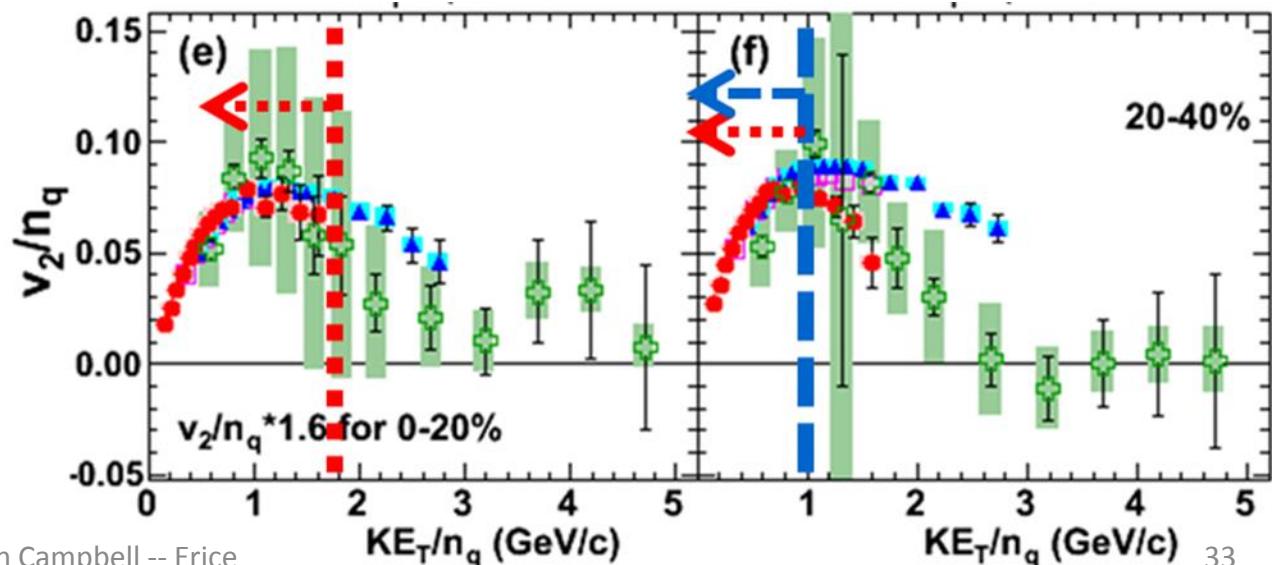
Need systematic errors separated in correlated and uncorrelated types to interpret  $\chi^2/NDF$  values.

# $\chi^2$ Results

HEADING	$n_{q\gamma} \pm (stat)$	$n_{q\gamma} = 2$	$n_{q\gamma} \pm (stat) \pm (sys)$	$n_{q\gamma} = 2$
	$\sigma_\gamma = \sigma_{stat} \oplus \sigma_{sys}$	$\sigma_\gamma = \sigma_{stat}$	$n_{q\gamma} \pm (stat) \pm (sys)$	$n_{q\gamma} = 2$
Data, Range 1	$1.79^{+0.08}_{-0.27}$	$2\sigma$	$1.79^{+0.002+0.67}_{-0.01-0.72}$	$1\sigma$
Data, Range 2	$1.79 \pm 0.27$	$1\sigma$	$1.79^{+0.002+1.09}_{-0.01-0.72}$	$1\sigma$
Fit, Range 1	$1.59 \pm 0.22$	$2\sigma$	$1.79 \pm 0.02^{+0.85}_{-0.68}$	$1\sigma$
Fit, Range 2	$1.83 \pm 0.44$	$1\sigma$	$1.88 \pm 0.07^{+1.18}_{-0.71}$	$1\sigma$

Range 1:  
 $KE_T/n_q < 1 \text{ GeV in } 20\text{-}40\%$

Range 2:  
 $KE_T/n_q < 1.7 \text{ GeV in } 0\text{-}20\%$   
 $KE_T/n_q < 1 \text{ GeV in } 20\text{-}40\%$



# Blast Wave $m_T$ Distrib

From Physical Review C 48, 2462 (1993):

$$\frac{d^3 N}{dm_T dy d\phi} \propto m_T^2 r \cosh(y) e^{\frac{p_T \sinh(\rho) \cos(\phi) - m_T \cosh(\rho) \cosh(y)}{T}}$$

where  $T$  is the temperature,

$$m_T = \sqrt{p_T^2 + m_q^2}$$

$$\rho = a \operatorname{atanh} (\beta_S (r/R)^\alpha)$$

From PRD 89 026013 (2005):

$$m_q = 300 \text{ MeV}$$

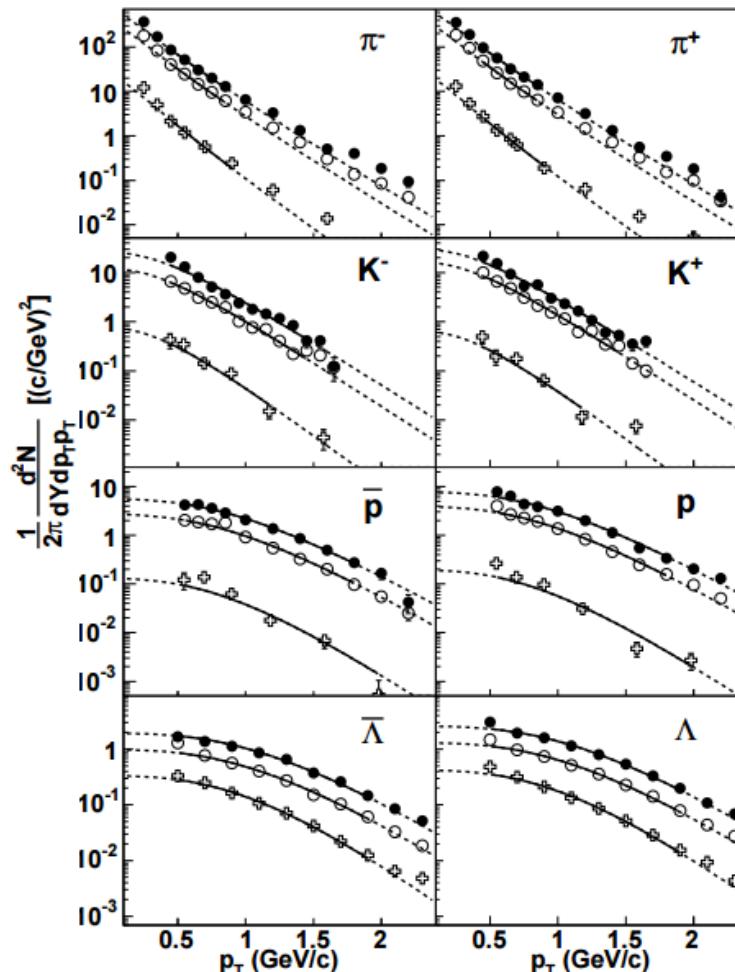
$$T = 106 \text{ MeV}$$

$$R = 8.5 \text{ fm}$$

$$\beta_S = 0.75$$

$$\alpha = 1$$

$$\left. \right\} \langle \beta \rangle = 0.5$$



# Comoving requirements

From probability functions in PRC 68 034904 (2003):

## Mesons

$$f_M(x_1, x_2; p_1, p_2) = \frac{9\pi}{2(\Delta_x \Delta_p)^3} \Theta(\Delta_x^2 - (x_1 - x_2)^2) \Theta(\Delta_p^2 - \frac{1}{4}(p_1 - p_2)^2 + \frac{1}{4}(m_1 - m_2)^2), \quad (3)$$

where  $\Delta_x$  and  $\Delta_p$  are the covariant spatial and momentum coalescence radii, and they are related by the uncertainty



$$|x_1 - x_2| < \Delta x$$

$$|p_1 - p_2| < 2\Delta p$$

$$\Delta x_M = \Delta x_B = 0.85 \text{ fm}$$

$$\Delta p_M = \Delta p_B = 0.2 \text{ GeV/c}$$

$$m_1 = m_2 = m_3$$

## Baryons

$$f_B(x_1, x_2, x_3; p_1, p_2, p_3) = \frac{9\pi}{2\Delta_x^3 \Delta_p^3} \Theta\left(\Delta_x^2 - \frac{1}{2}(x_1 - x_2)^2\right) \times \Theta\left(\Delta_p^2 - \frac{1}{2}(p_1 - p_2)^2\right) \frac{9\pi}{2\Delta_x^3 \Delta_p^3} \times \Theta\left(\Delta_x^2 - \frac{1}{6}(x_1 + x_2 - 2x_3)^2\right) \times \Theta\left(\Delta_p^2 - \frac{1}{6}[(p_1 + p_2 - 2p_3)^2]$$



$$|x_1 - x_2| < \Delta x \sqrt{2}$$

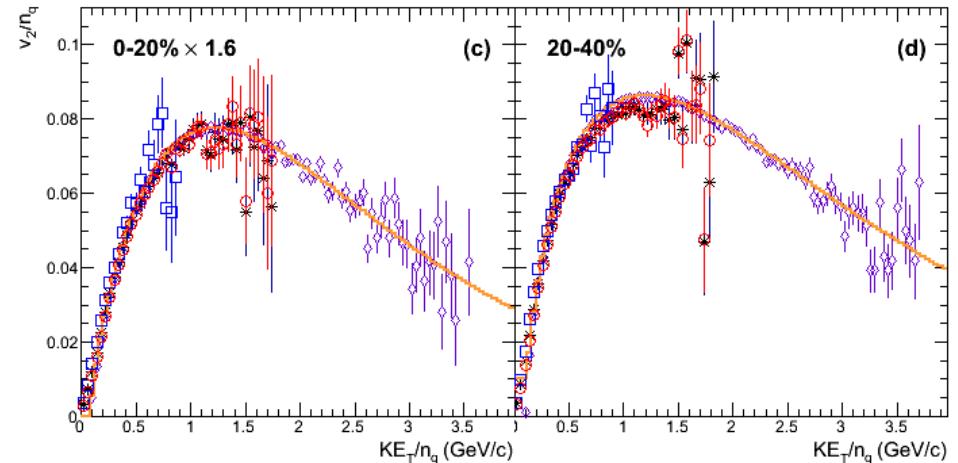
$$|x_1 + x_2 - 2x_3| < \Delta x \sqrt{6}$$

$$|p_1 - p_2| < \Delta p \sqrt{2}$$

$$|p_1 + p_2 - 2p_3| < \Delta p \sqrt{6}$$

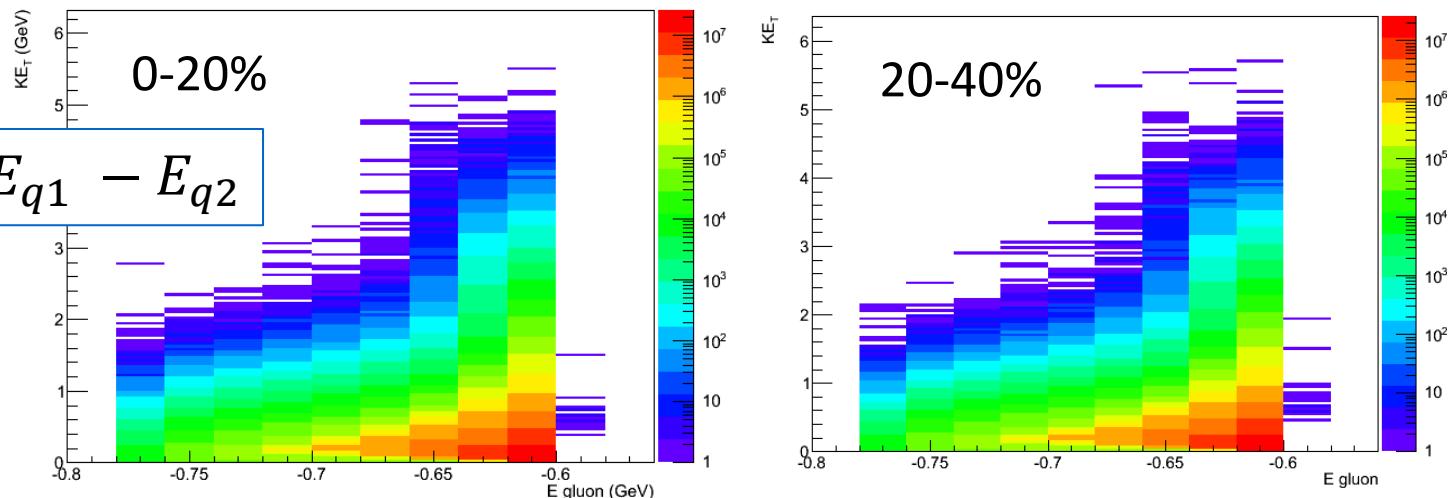
# Kinetic energy conservation

Kinetic energy conservation best reproduced the  $n_q$ -scaling seen in the data



## Gluon's energy component

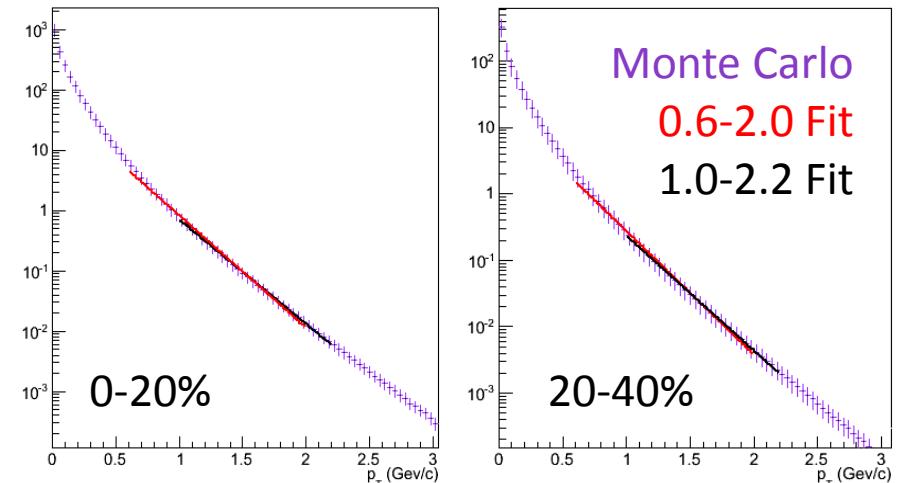
$$E_{gluon} = E_\gamma - E_{q1} - E_{q2}$$



Gluons remove  $\sim 600$  MeV of energy

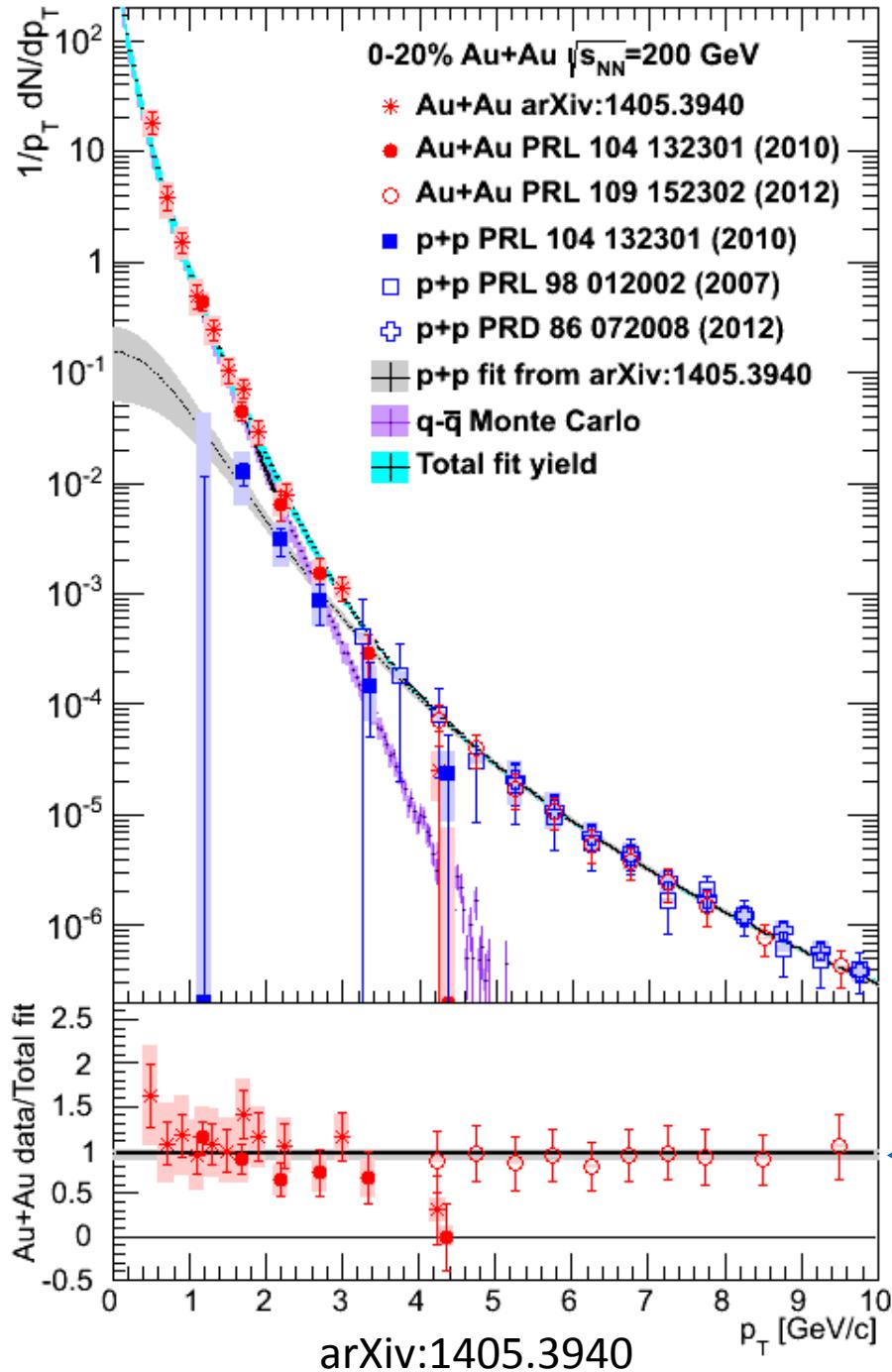
# $p_T$ shape: Inverse slopes

Fit  $p_T$  shape with exponential,  $Ae^{-p_T/T}$



Centrality	$p_T$ range	Monte Carlo	Au+Au data [2, 3]
0-20%	$0.6 < p_T < 2.0$ GeV/c	$233 \pm 6$	$239 \pm 29 \pm 7$
0-20%	$1.0 < p_T < 2.2$ GeV/c	$251 \pm 8$	$221 \pm 19 \pm 19$
20-40%	$0.6 < p_T < 2.0$ GeV/c	$233 \pm 8$	$260 \pm 33 \pm 8$
20-40%	$1.0 < p_T < 2.2$ GeV/c	$251 \pm 10$	$217 \pm 18 \pm 16$

Can this source describe the shape of the excess  $p_T$  yield?  
→ Inverse slopes are consistent with values from data



# 0-20% $p_T$ spectrum

Fit to the measured yields:

$$\frac{1}{p_T} \frac{dN}{dp_T} = N \left( \frac{1}{p_T} \frac{dN}{dp_T} \right)_{MC} + T_{AA} \left( \frac{1}{p_T} \frac{dN}{dp_T} \right)_{pp}$$

The only free parameter

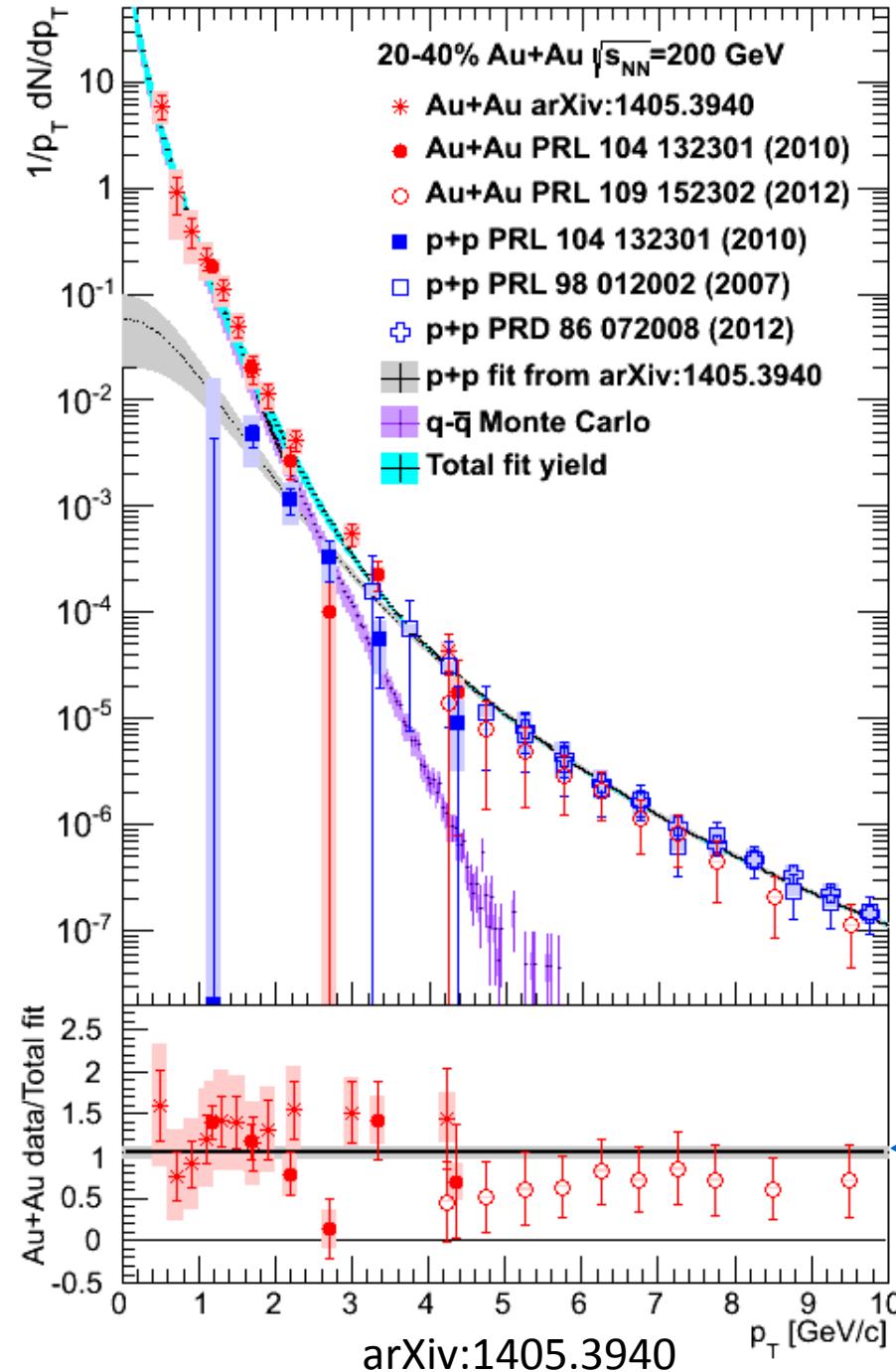
From p+p data,  
p+p fit at low  $p_T$

$$\chi^2/NDF = 20.69/22 \\ = 0.94$$

Can this source describe the shape of the excess  $p_T$  yield?  
→ Yes

Flat!

$$\frac{\text{Au+Au data}}{\text{Total fit}} = 0.951 \pm 0.051$$



# 20-40% $p_T$ spectrum

Fit to the measured yields:

$$\frac{1}{p_T} \frac{dN}{dp_T} = N \left( \frac{1}{p_T} \frac{dN}{dp_T} \right)_{MC} + T_{AA} \left( \frac{1}{p_T} \frac{dN}{dp_T} \right)_{pp}$$

$$\chi^2/NDF = 35.12/22 \\ = 1.60$$

Can this source describe the shape of the excess  $p_T$  yield?  
→ Yes

Flat!

$$\frac{\text{Au+Au data}}{\text{Total fit}} = 1.038 \pm 0.046$$

$$\chi^2/NDF = 32.5/26 = 1.25$$

# 0-20% $v_2$

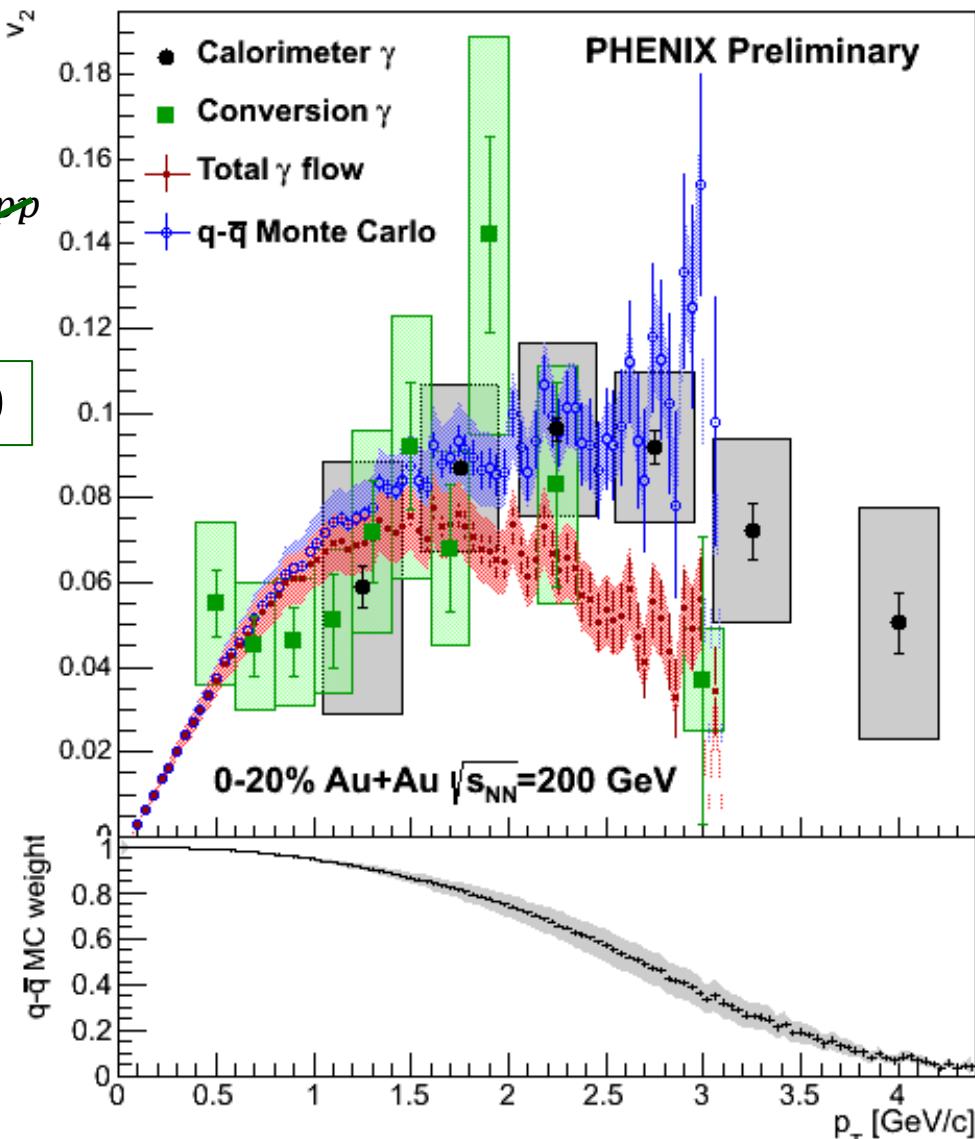
$$v_2 = \frac{Yield_{MC}}{Yield_{Total}} v_2^{MC} + \frac{Yield_{pp}}{Yield_{Total}} v_2^{pp}$$

q-q MC weight

$v_2^{pp} = 0$

Can this source reproduce  
the  $v_2$  at low  $p_T$ ?

→ Yes, systematically low  
at  $p_T > 2$  GeV/c



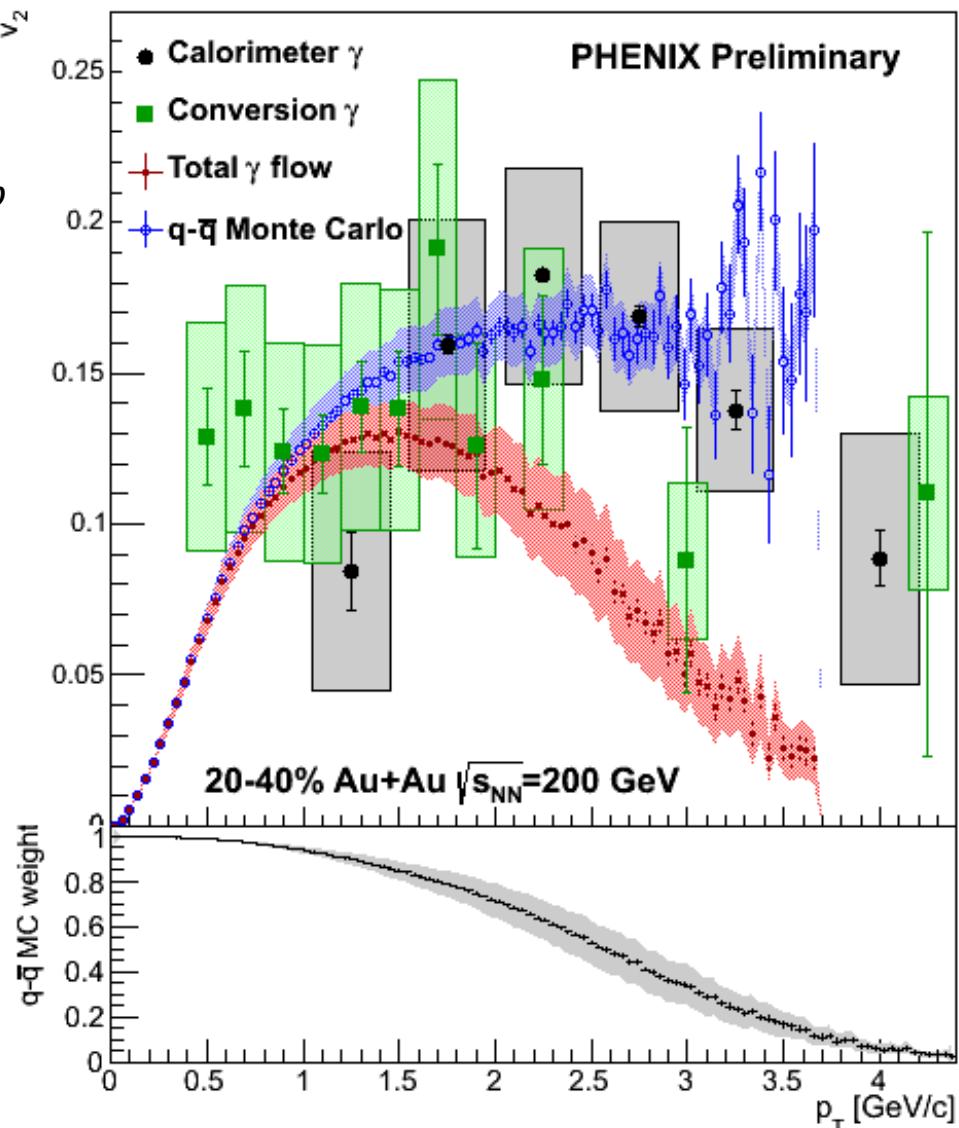
# 20-40% $v_2$

$$v_2 = \frac{Yield_{MC}}{Yield_{Total}} v_2^{MC} + \frac{Yield_{pp}}{Yield_{Total}} v_2^{pp}$$

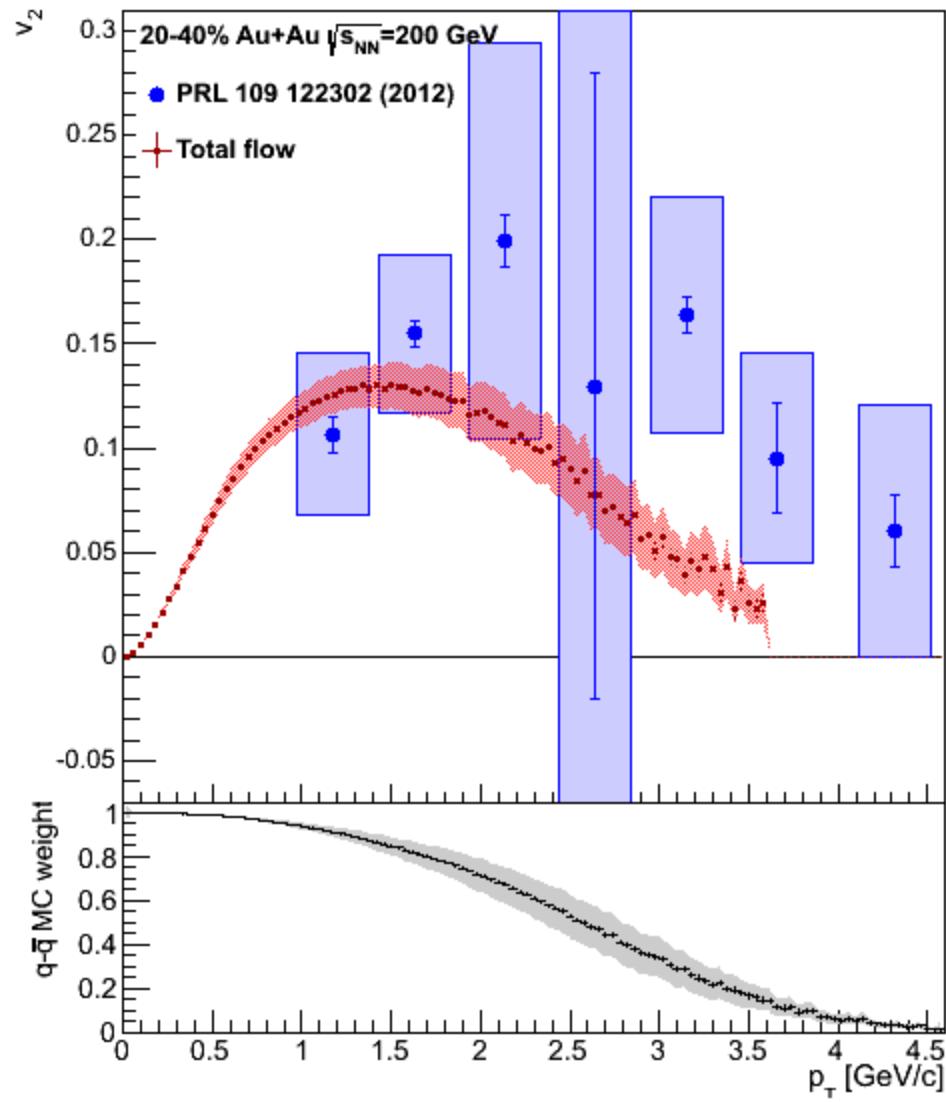
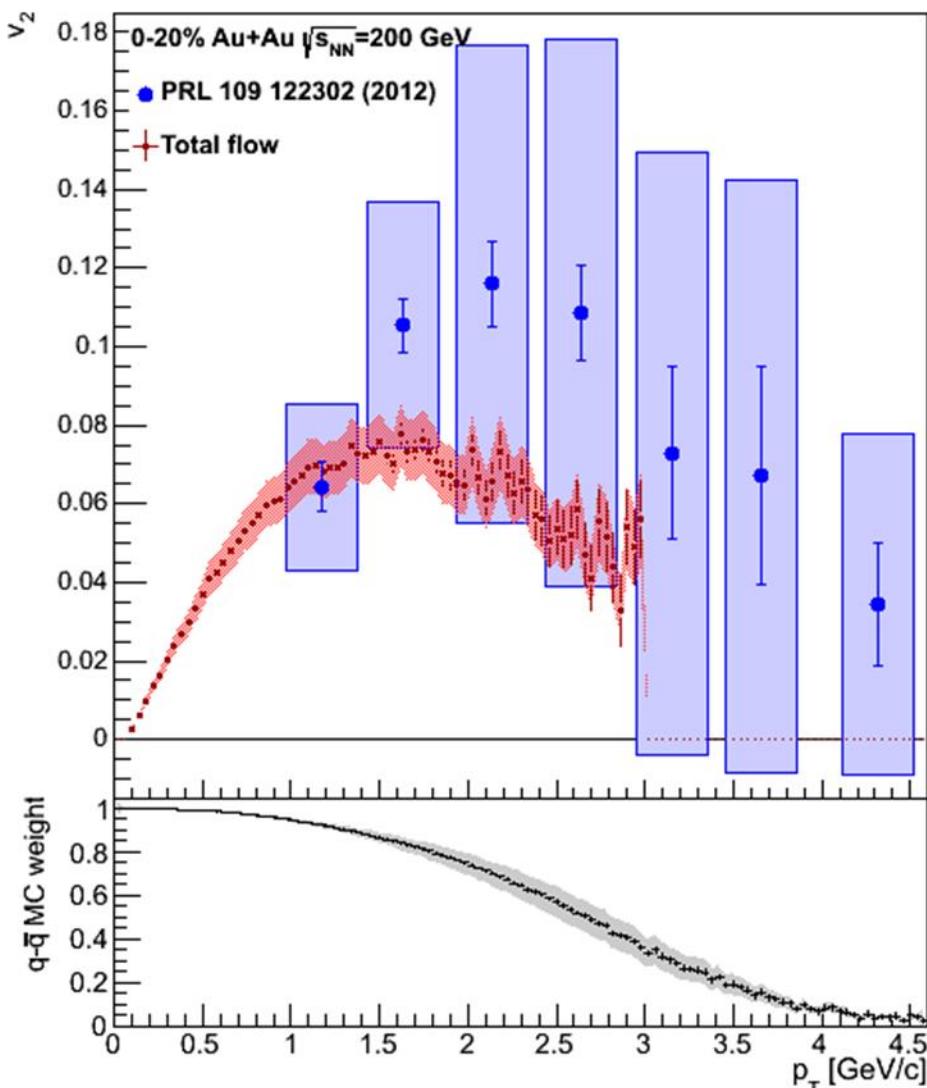
$v_2^{pp} = 0$

**q-q MC weight** (red box with arrow)

Can this source reproduce  
the  $v_2$  at low  $p_T$ ?  
 → Yes, systematically low  
at  $p_T > 2$  GeV/c



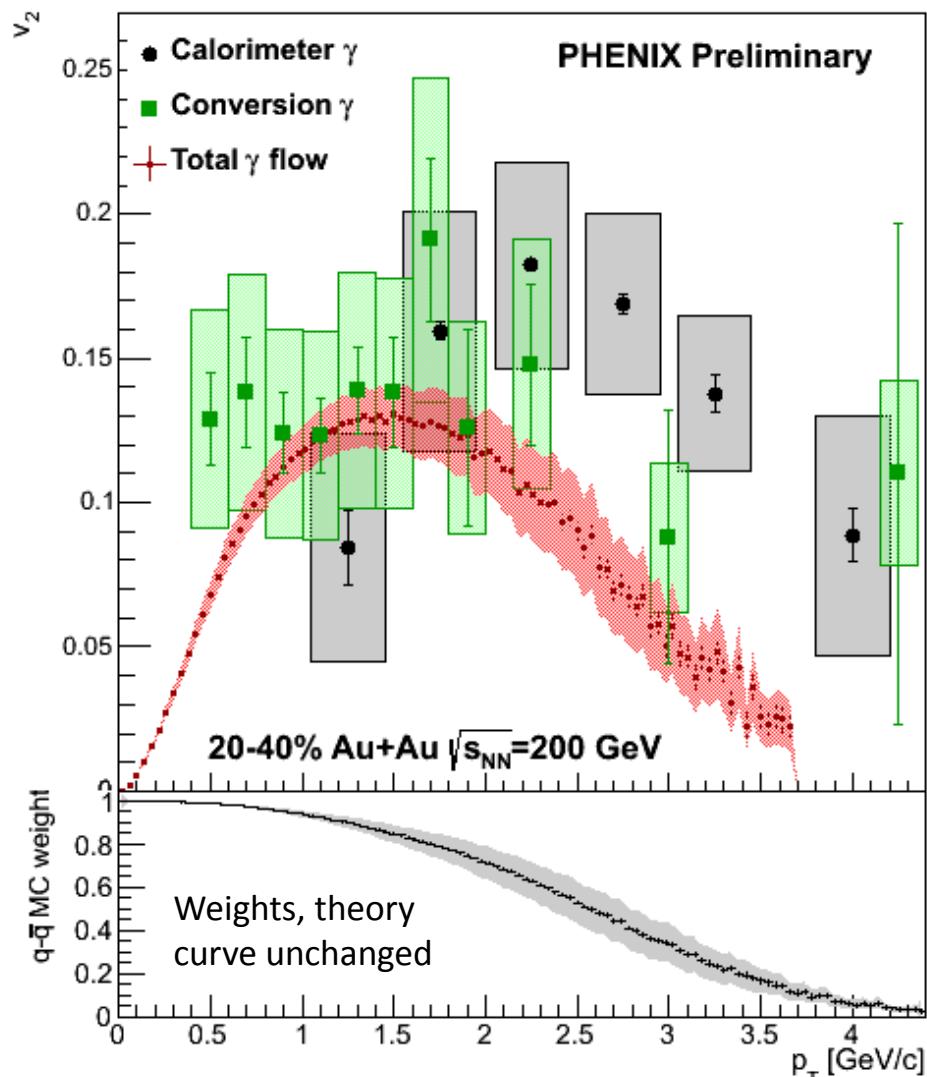
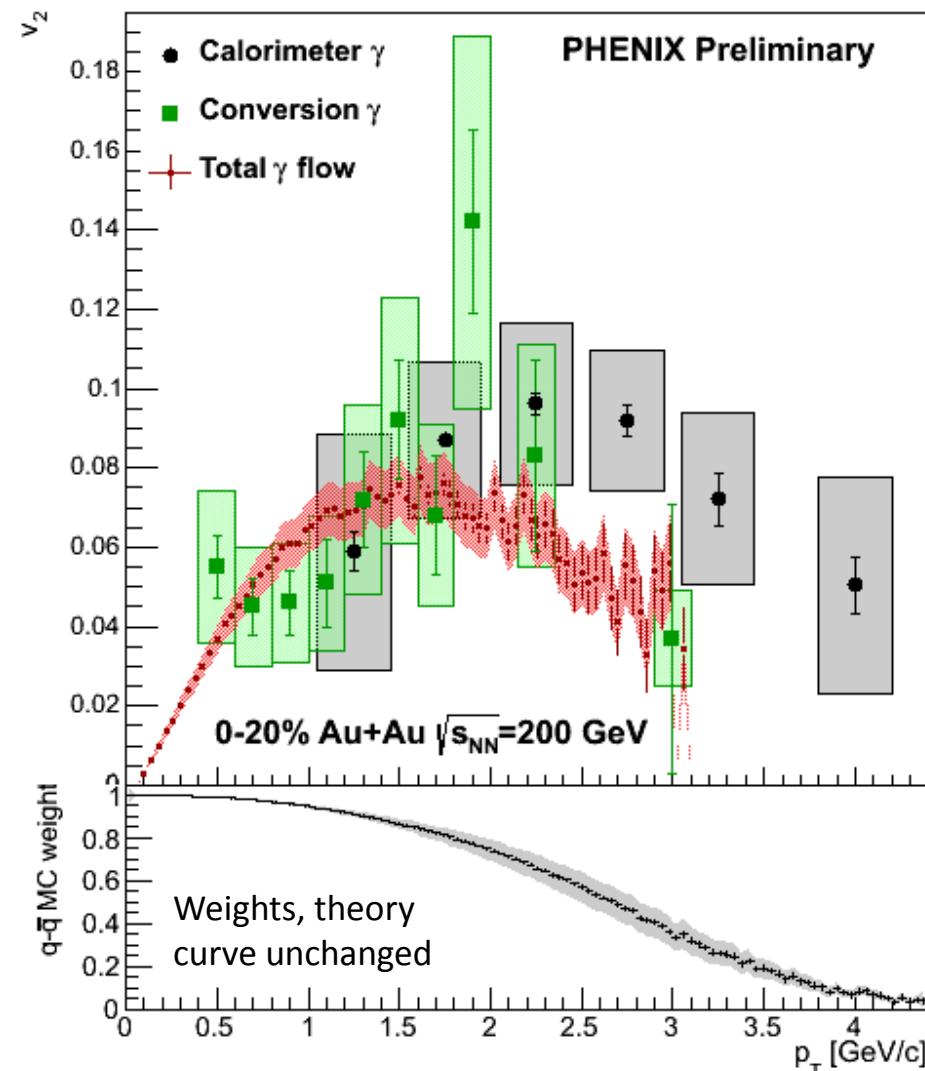
# At low $p_T$



Can this source reproduce the  $v_2$  at low  $p_T$ ? → Yes

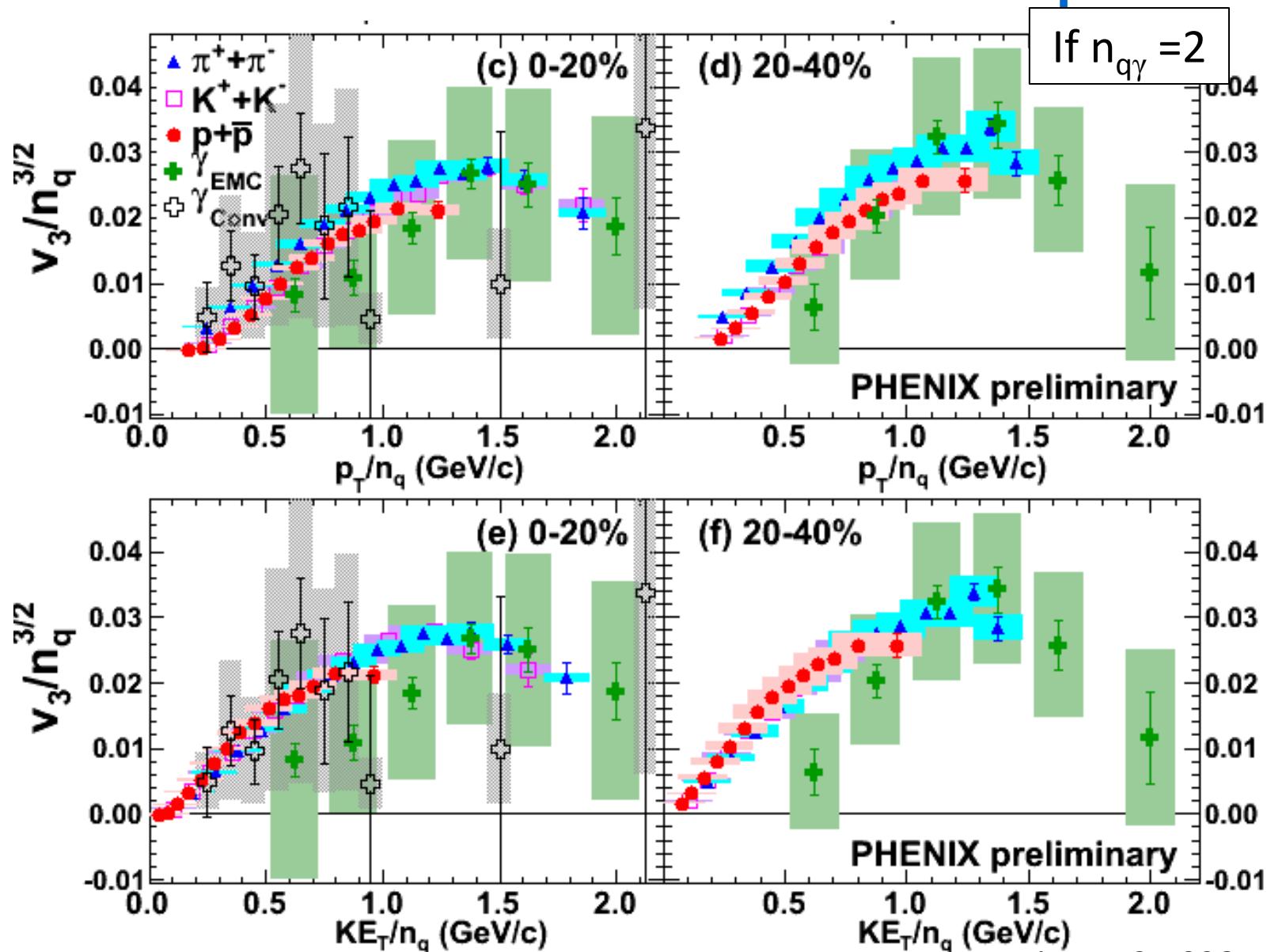
Sarah Campbell -- Erice

# With preliminary results



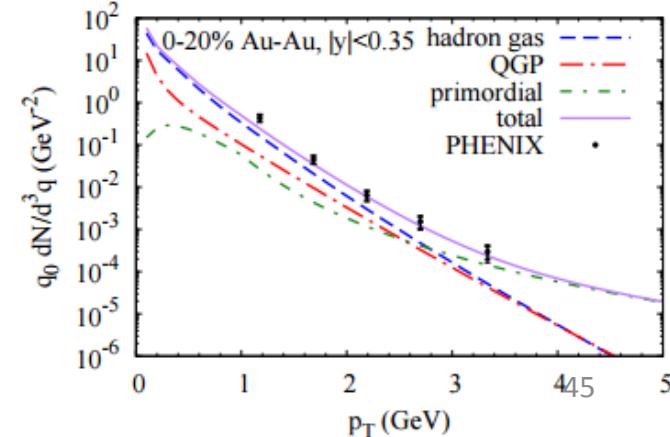
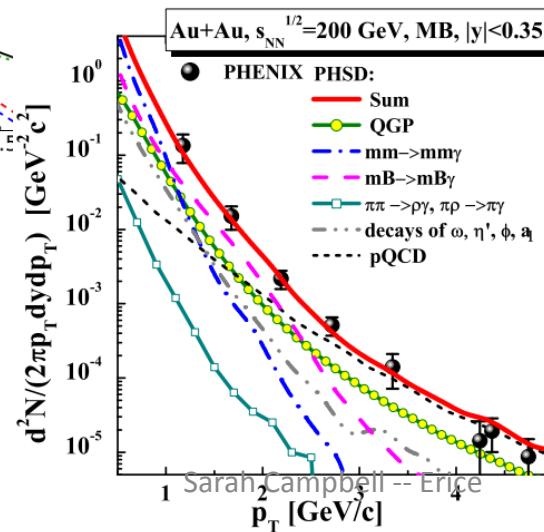
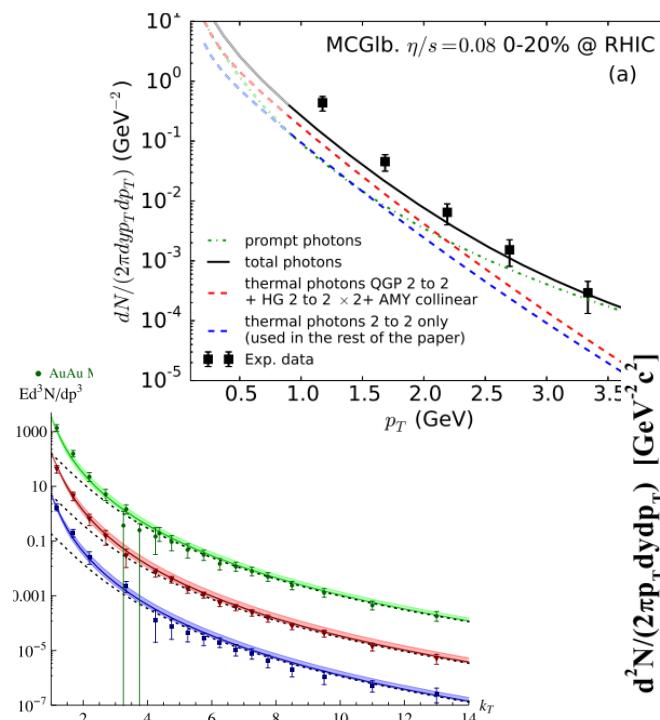
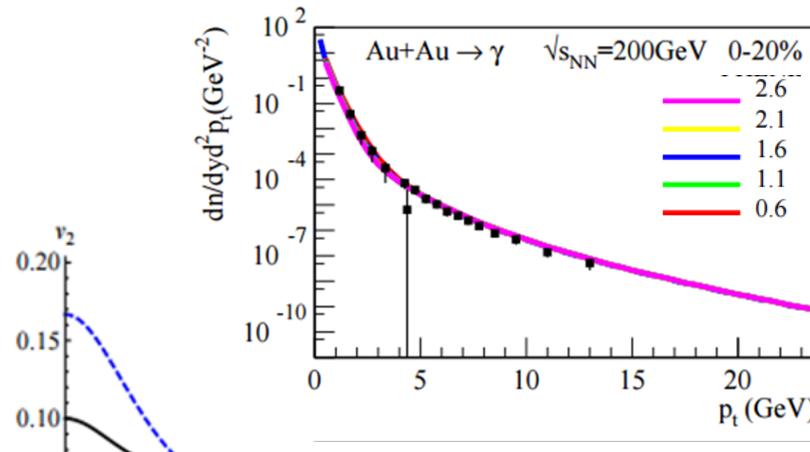
Can this source reproduce the  $v_2$  at low  $p_T$ ?  $\rightarrow$  Yes

# Direct photon $v_3$ modified $n_q$ -scaling

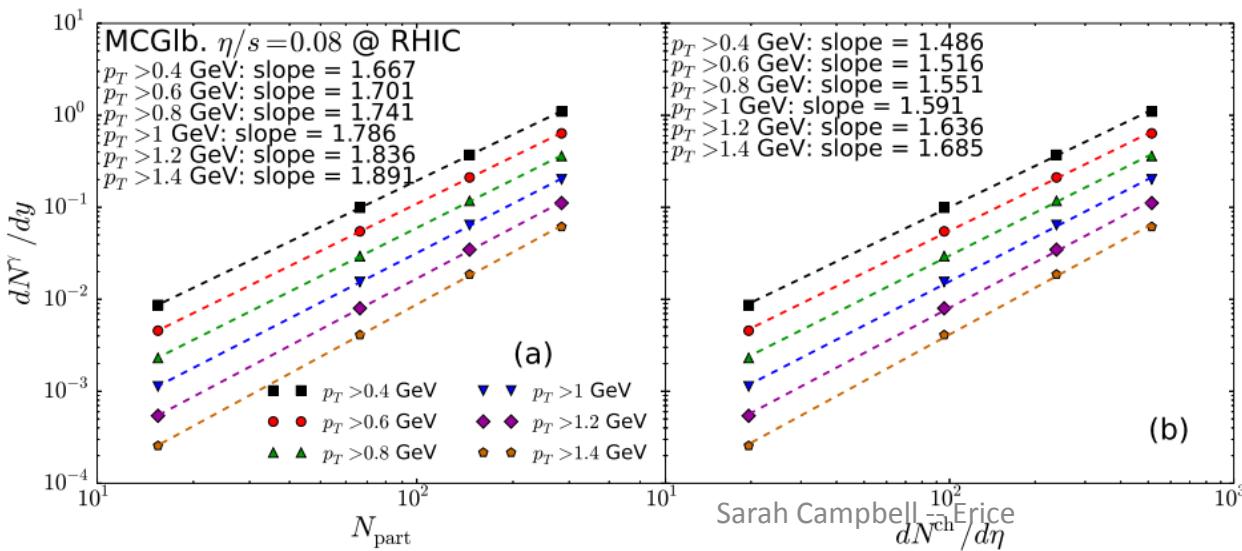
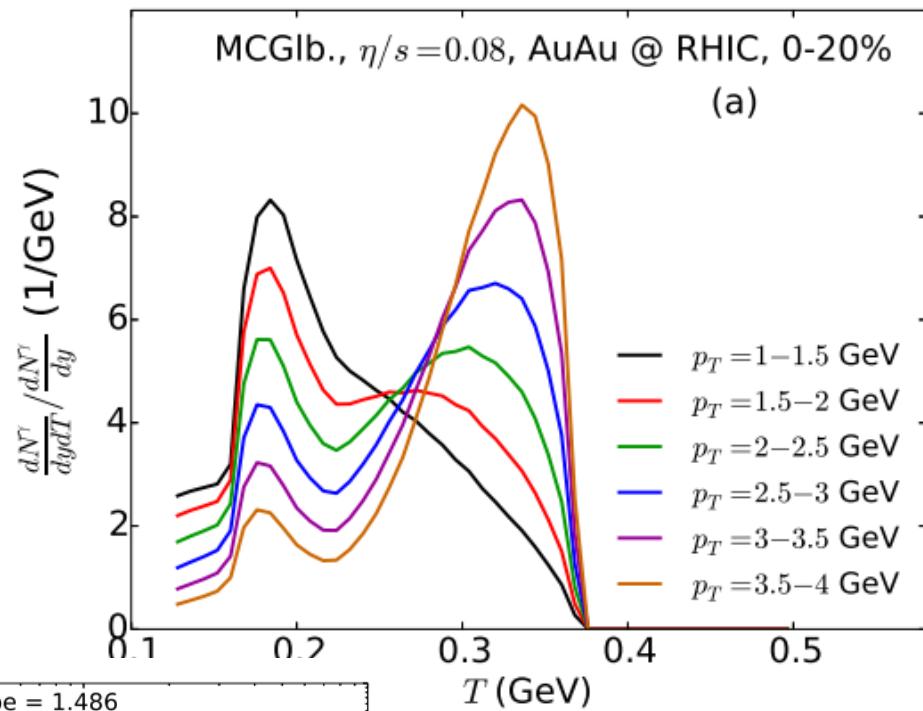
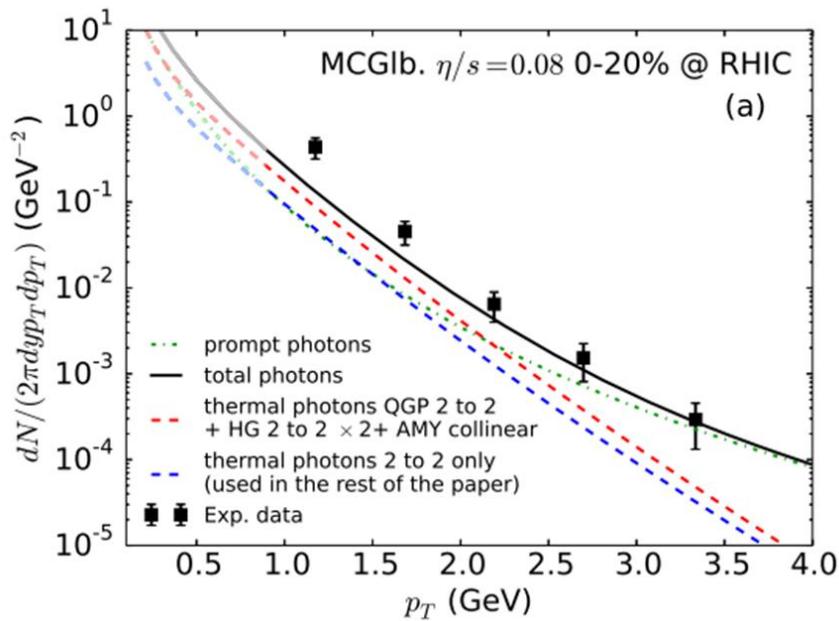


# A Few Theories

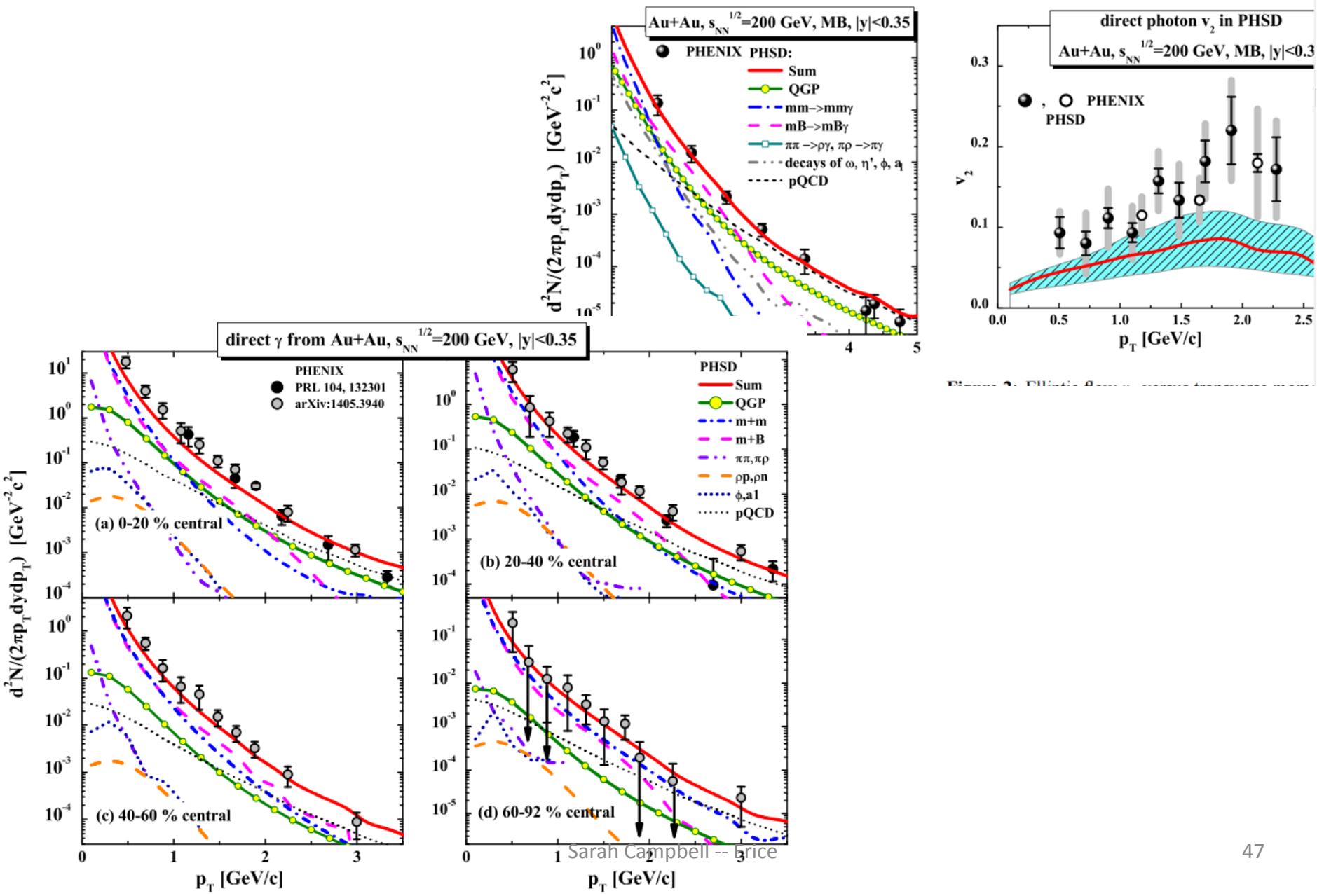
- Delayed QGP formation
- Magnetic fields
- Initial state Glasma effects
- Hydrodynamic models
- In HG: baryon-baryon, meson-baryon interactions



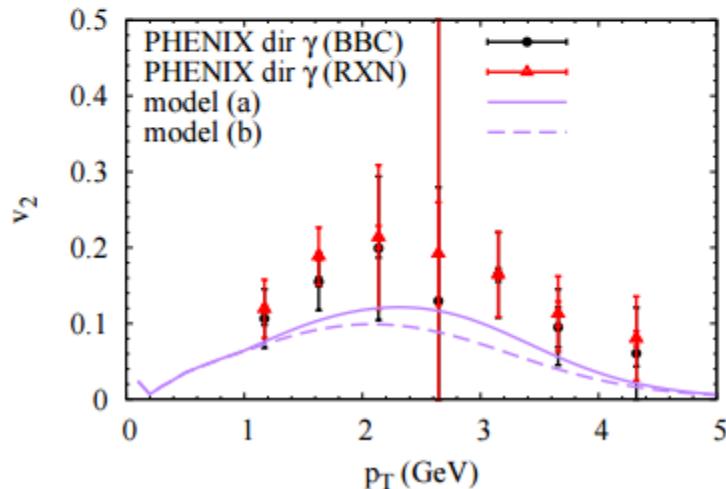
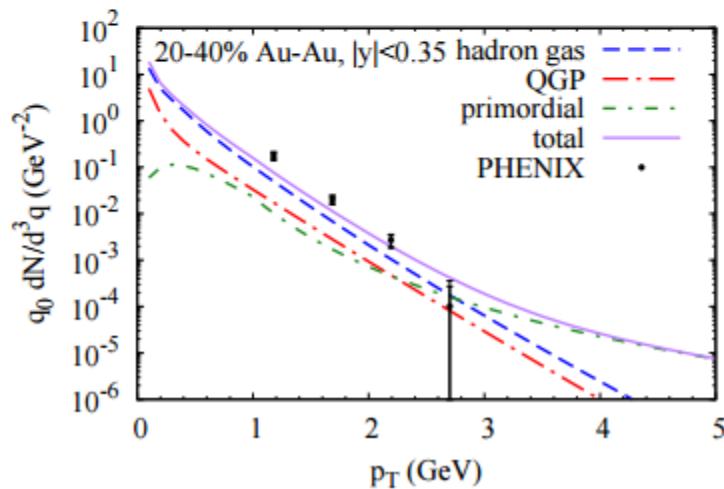
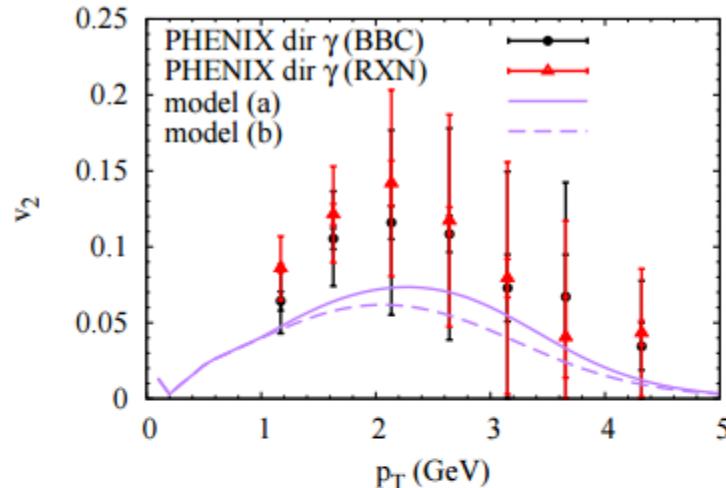
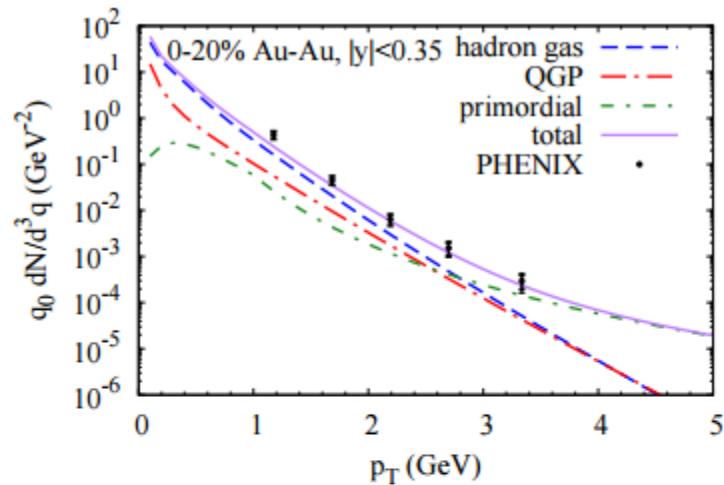
# Chun: Hydro



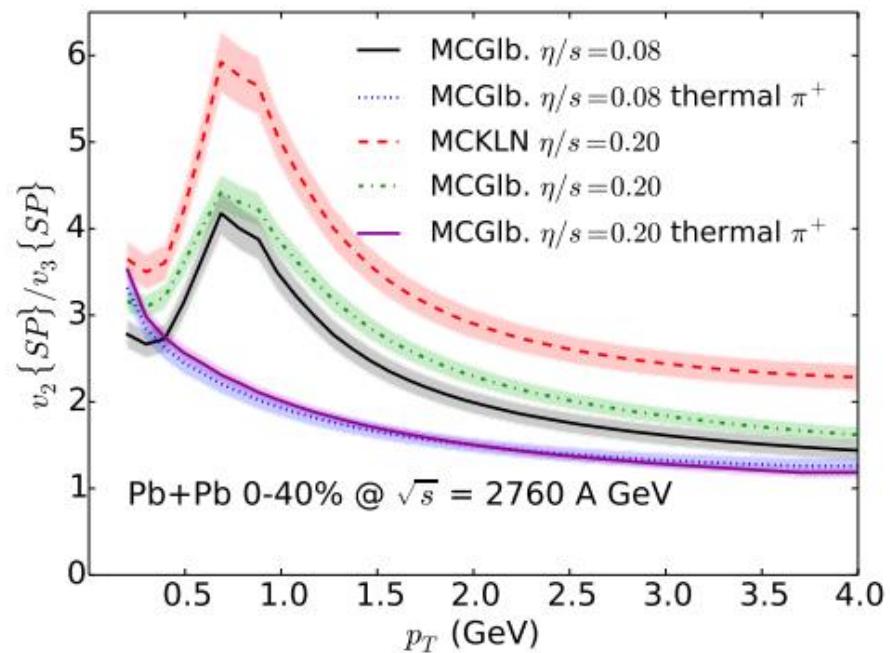
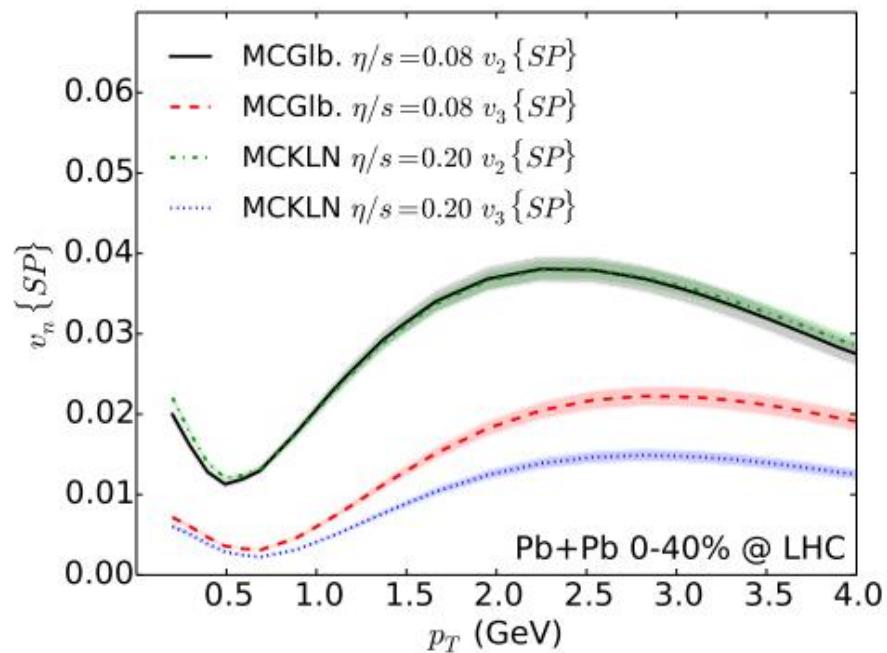
# PHSD



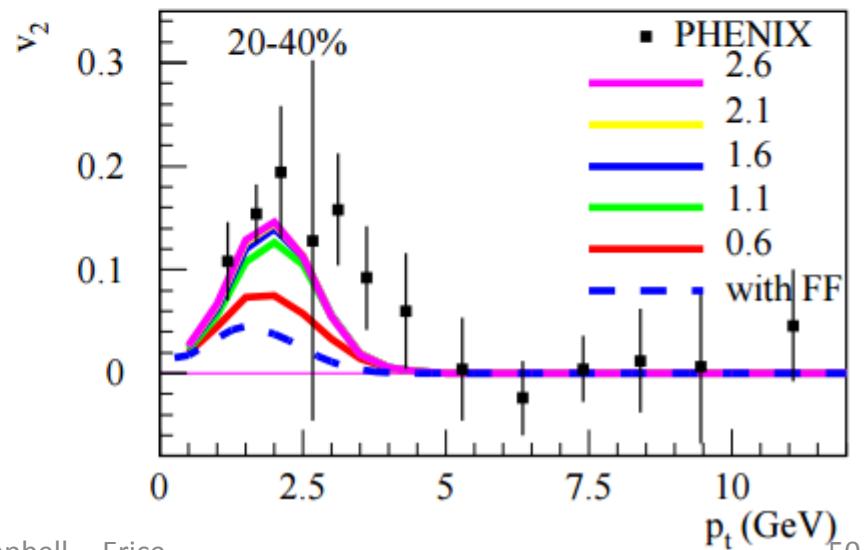
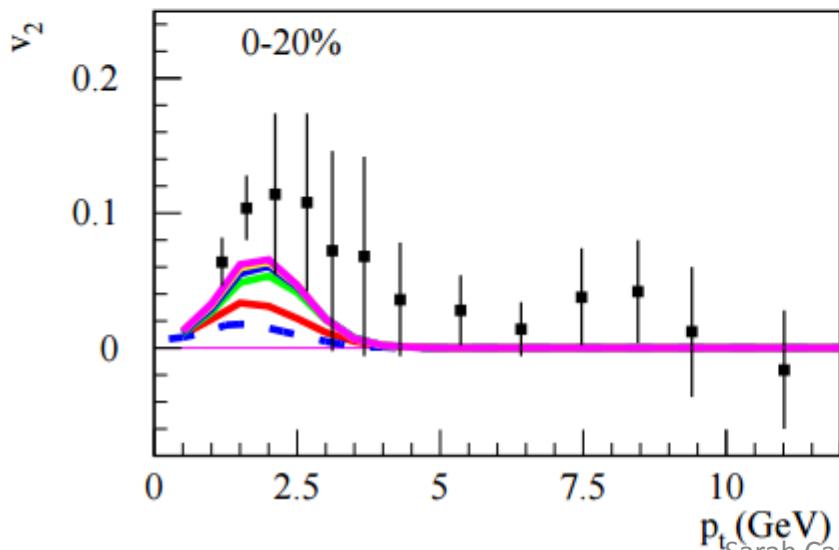
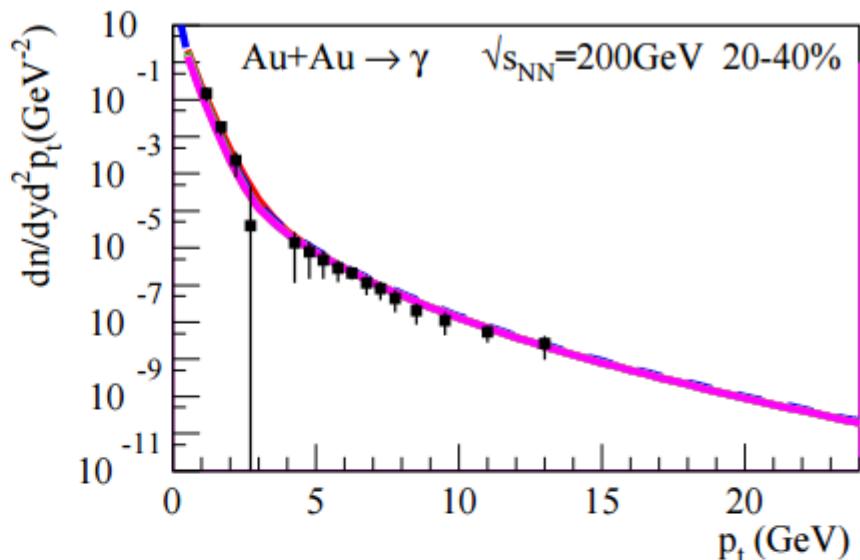
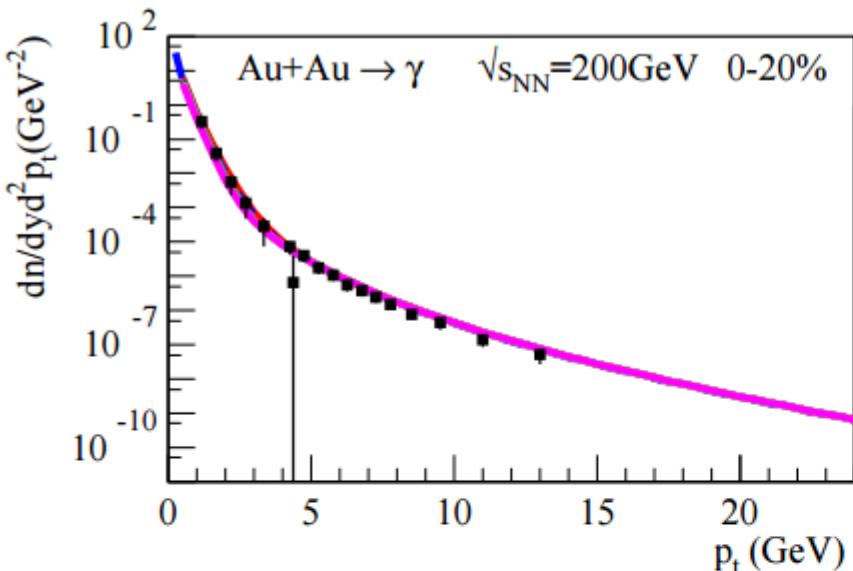
# fireball



# $v_2/v_3$



# FM Liu SX Liu



# Magnetic field contribution?

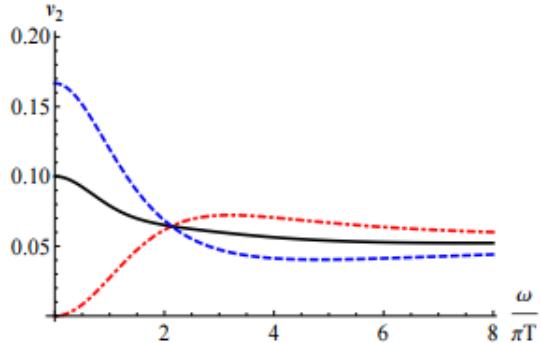


FIG. 2: The red(dot-dashed) and blue(dashed) curves correspond to the  $v_2$  of the photons with in-plane and out-plane polarizations, respectively. The black(solid) curve correspond to the one from the averaged emission rate of two types of polarizations. Here we consider the contribution from massless quarks at  $B_z = 1(\pi T)^2$ .

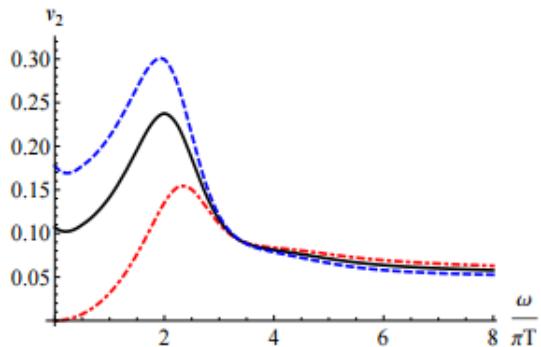


FIG. 3: The colors correspond to the same cases as in Fig.2. Here we consider the contributions from solely the massive quarks with  $m = 1.143$  at  $B_z = 1(\pi T)^2$ .

# Also seen at LHC in ALICE

